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# Carrier-resolved photo-Hall effect

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Okki Gunawan<sup>1\*</sup>, Seong Ryul Pae<sup>2</sup>, Douglas M. Bishop<sup>1</sup>, Yudistira Virgus<sup>1</sup>, Jun Hong Noh<sup>3,4</sup>, Nam Joong Jeon<sup>3</sup>, Yun Seog Lee<sup>1,5</sup>, Xiaoyan Shao<sup>1</sup>, Teodor Todorov<sup>1</sup>, David B. Mitzi<sup>6,7</sup> & Byungha Shin<sup>2\*</sup>

The fundamental parameters of majority and minority charge carriers—including their type, density and mobility—govern the performance of semiconductor devices yet can be difficult to measure. Although the Hall measurement technique is currently the standard for extracting the properties of majority carriers, those of minority carriers have typically only been accessible through the application of separate techniques. Here we demonstrate an extension to the classic Hall measurement—a carrier-resolved photo-Hall technique—that enables us to simultaneously obtain the mobility and concentration of both majority and minority carriers, as well as the recombination lifetime, diffusion length and recombination coefficient. This is enabled by advances in a.c.-field Hall measurement using a rotating parallel dipole line system and an equation,  $\Delta\mu_{\text{H}} = d(\sigma^2 H)/d\sigma$ , which relates the hole–electron Hall mobility difference ( $\Delta\mu_{\text{H}}$ ), the conductivity ( $\sigma$ ) and the Hall coefficient ( $H$ ). We apply this technique to various solar absorbers—including high-performance lead-iodide-based perovskites—and demonstrate simultaneous access to majority and minority carrier parameters and map the results against varying light intensities. This information, which is buried within the photo-Hall measurement<sup>1,2</sup>, had remained inaccessible since the original discovery of the Hall effect in 1879<sup>3</sup>. The simultaneous measurement of majority and minority carriers should have broad applications, including in photovoltaics and other optoelectronic devices.

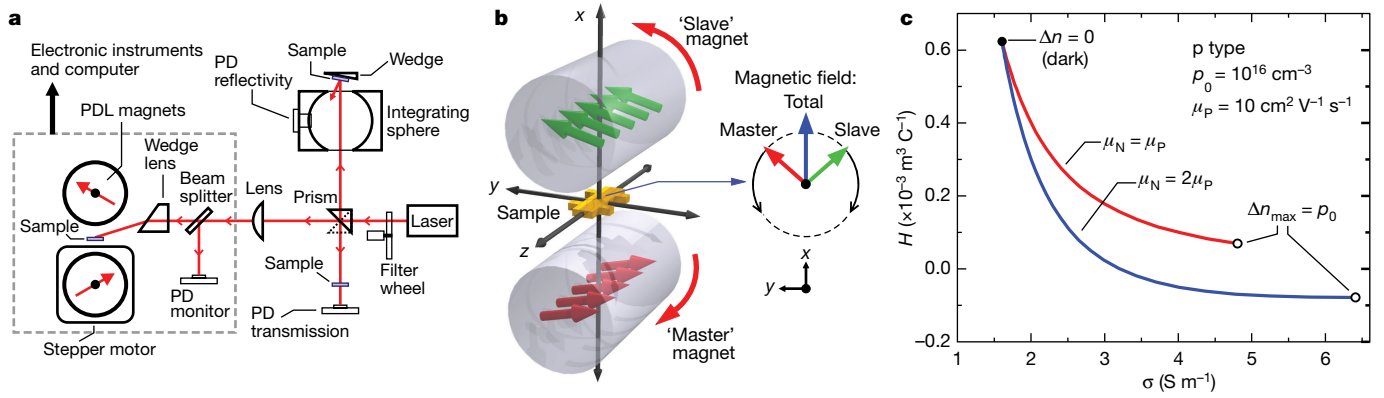
The Hall effect measurement is one of the most important characterization techniques for electronic materials, and the effect has become the basis of fundamental advances in condensed matter physics, such as the integer and fractional quantum Hall effects<sup>4,5</sup>. The measurements reveal fundamental information about the majority charge carrier—that is, its type (p or n), density and mobility. In a solar cell, the parameters of the majority carrier determine the overall device architecture, the width of the depletion region and the bulk series resistance. The properties of the minority carrier, however, determine other key parameters that directly affect the overall performance of the device, such as recombination lifetime ( $\tau$ ), diffusion length ( $L_{\text{D}}$ ) and recombination coefficients ( $k_{\text{r}}$ ). Unfortunately, the standard Hall measurement yields information regarding only the majority carrier. Attempts to measure the properties of both majority and minority carriers in high-performance light-absorbing materials have been made; however, they require a wide range of experimental techniques that typically use different sample configurations and illumination levels, thereby presenting additional complications in the analysis<sup>6–14</sup> (Supplementary Information sections F, G). The extraction of reliable information on charge carriers is particularly sought after in the study of organic–inorganic hybrid perovskites. This family of materials is currently receiving intense attention, owing to rapid progress in their application in high-performance solar cells—the current record power conversion efficiency (PCE) for devices containing such materials is 25.2%<sup>15</sup>—as well as in other optoelectronic devices, including light-emitting diodes<sup>16</sup> and photodetectors<sup>17</sup>.

A full understanding of the charge-transport properties of perovskites will help to elucidate the operating principles of devices that contain these materials, thereby guiding their further improvement.

In this work we present a carrier-resolved photo-Hall (CRPH) measurement technique that is capable of simultaneously extracting the mobilities, densities and subsequent derivative parameters ( $\tau$ ,  $L_{\text{D}}$ ) of both majority and minority carriers as a function of light intensity. This technique relies on two key elements: an equation that yields the difference between the Hall mobilities of the hole and electron, and a high-sensitivity Hall measurement using a parallel dipole line (PDL) a.c. Hall system<sup>18</sup> (Fig. 1a, b). In the classic Hall measurement without illumination, three parameters can be obtained for majority carriers: the type (p or n), from the sign of Hall coefficient  $H$ ; the carrier density ( $n_{\text{c}} = r/He$ ); and the Hall mobility ( $\mu_{\text{H}} = \sigma H$ ); where  $e$  is the electron charge and  $r$  is the Hall scattering factor. The key challenge in the photo-Hall transport problem—that is, extracting information from the majority and minority carriers—requires solving for three unknowns at a given illumination level: hole and electron (drift) mobility ( $\mu_{\text{p}}$ ,  $\mu_{\text{n}}$ ) and their photocarrier densities ( $\Delta n$ ,  $\Delta p$ ), which are equal under steady-state conditions. Unfortunately, we have only two measured quantities:  $\sigma$  and  $H$ , as a function of illumination. The key insight into solving this problem is illustrated in Fig. 1c. We consider two p-type systems with the same majority carrier density ( $p_0$ ) and mobility ( $\mu_{\text{p}}$ ) but different minority carrier mobilities ( $\mu_{\text{n}}$ ). When these systems are excited with the same photocarrier density,  $\Delta n_{\text{max}}$ , they will produce different  $\sigma$ – $H$

<sup>1</sup>IBM T. J. Watson Research Center, Yorktown Heights, NY, USA. <sup>2</sup>Department of Materials Science and Engineering, Korea Advanced Institute of Science and Technology, Daejeon, South Korea.

<sup>3</sup>Division of Advanced Materials, Korea Research Institute of Chemical Technology, Daejeon, South Korea. <sup>4</sup>School of Civil, Environmental and Architectural Engineering and Green School, Korea University, Seoul, South Korea. <sup>5</sup>Department of Mechanical and Aerospace Engineering, Seoul National University, Seoul, South Korea. <sup>6</sup>Department of Mechanical Engineering and Material Science, Duke University, Durham, NC, USA. <sup>7</sup>Department of Chemistry, Duke University, Durham, NC, USA. \*e-mail: ogunawa@us.ibm.com; byungha@kaist.ac.kr



**Fig. 1 | The carrier-resolved photo-Hall measurement.** **a**, The PDL photo Hall setup for a complete photo-Hall experiment. **b**, The rotating PDL magnet system that generates a unidirectional and single harmonic a.c. magnetic field at the centre (see animation in Supplementary Video 1). **c**, Theoretical

calculation of two p-type systems with the same majority mobility ( $\mu_p$ ) but different minority mobility ( $\mu_n$ ) under increasing illumination, yielding different conductivity–Hall coefficient ( $\sigma$ – $H$ ) curves. The slope of the  $\sigma$ – $H$  curve contains the information of  $\Delta\mu_H$ .

curves owing to the increasing role of the minority carrier in the total conductivity, even though they start from the same point in the dark. Therefore, the characteristics of the  $\sigma$ – $H$  curves—specifically the slope ( $dH/d\sigma$ )—contains detailed information about the mobilities of the two systems. We show that the Hall mobility difference,  $\Delta\mu_H = r\Delta\mu = r(\mu_p - \mu_n)$ , is given as (Supplementary Information section B):

$$\Delta\mu_H = \frac{d(\sigma^2 H)}{d\sigma} = \left( 2 + \frac{d \ln H}{d \ln \sigma} \right) \sigma H \quad (1)$$

Note that  $\sigma$  and  $H$  are experimentally obtained as a function of varying light intensity or photocarrier density  $\Delta n$ ; however, fortuitously, the  $\Delta n$  term cancels out of equation (1). There are two equivalent expressions for  $\Delta\mu_H$  in equation (1), which enable slope analysis for low and high injection. The term  $d \ln H / d \ln \sigma$  has special experimental meaning, as shown for the perovskite example discussed later. This equation applies to both p- and n-type materials and assumes that the dark carrier densities ( $p_0$  or  $n_0$ ) are fixed, that  $\Delta n = \Delta p$  under steady-state conditions, and that the mobilities are constant as a function of light intensity (see Supplementary Information section B.2 for a generalized model in which mobilities vary with illumination). The Hall scattering factor  $r$  generally lies between 1 and 2. It approaches 1 at high magnetic field and generally is assumed<sup>19</sup> to be 1, including in this work. Using the known two-carrier expressions in the low-magnetic-field regime<sup>20</sup> ( $B \ll 1/\mu$ )—that is,  $\sigma = e(p\mu_p + n\mu_n)$  and  $H = r(p - \beta^2 n) / (p + \beta n)^2 e$ , where  $p$  and  $n$  are hole and electron densities and  $\beta = \mu_n / \mu_p$  is the mobility ratio—we can completely solve the photo-Hall transport problem, for example, for a p-type material:

$$\beta = \frac{2\sigma(r\Delta\mu - \sigma H) - re\Delta\mu^2 p_0 \pm \Delta\mu \sqrt{re p_0} \sqrt{re\Delta\mu^2 p_0 + 4\sigma(\sigma H - r\Delta\mu)}}{2\sigma(r\Delta\mu - \sigma H)} \quad (2)$$

$$\Delta n = \frac{\sigma(1 - \beta) - e\Delta\mu p_0}{e\Delta\mu(1 + \beta)} \quad (3)$$

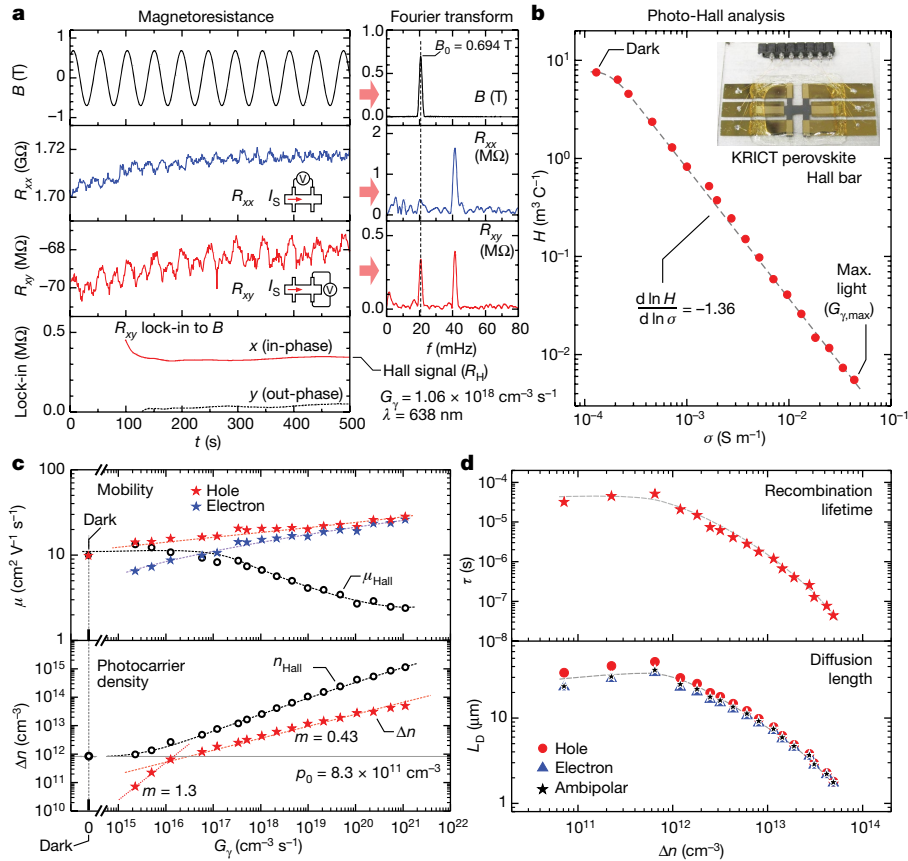
Finally, we obtain  $\mu_p = \Delta\mu / (1 - \beta)$  and  $\mu_n = \beta\mu_p$ . Note that we need to know the background hole density,  $p_0$ , from the dark measurement. Equations (1)–(3) are referred to as the  $\Delta\mu$  calculation model.

The second requirement to enable the CRPH measurement involves obtaining a clean Hall signal. Unfortunately, in many photovoltaic films, high sample resistance ( $R > 10 \text{ G}\Omega$ )—as in the case of perovskites—or low mobility ( $\mu < 1 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ ) can produce noisy Hall signals. Therefore, a.c.-field Hall techniques coupled with Fourier analysis and lock-in detection are crucial. We recently developed a high sensitivity a.c.-field

Hall system based on a rotating PDL magnet system<sup>18,21,22</sup>. The PDL system is a recently discovered natural magnetic trap that harbours a field-confinement effect that generates a magnetic camelback potential along its longitudinal axis<sup>23</sup>. This effect is used to optimize the field uniformity (Supplementary Information section A). The PDL Hall system consists of a pair of diametric cylindrical magnets separated by a gap. One magnet (the ‘master’) is driven by a motor and another (the ‘slave’) follows in the opposite direction. This system produces a unidirectional and single harmonic field at the centre, where the sample resides (Fig. 1b, Supplementary Video 1), which forms the basis for a successful photo-Hall experiment. As well as the photo-Hall measurement, optical measurements (for example, transmission and reflectivity) to calculate the absorbed photon density ( $G_v$ ) can also be performed using the same setup (Fig. 1a, Supplementary Information section C).

To demonstrate the CPRH technique, two examples are discussed in detail: a lead-halide-based perovskite film and a silicon sample, which serve as high ( $\Delta n > p_0$ ) and low ( $\Delta n < p_0$ ) injection cases, respectively. The first example uses a (FA,MA)Pb(I,Br)<sub>3</sub> (FA, formamidinium; MA, methylammonium) perovskite film, which was fabricated using the same method that produced a recent record PCE<sup>24</sup>, but with further optimization of the process. A companion device in the same batch yielded a PCE of 20.8% (Methods). The measurement device is a six-terminal Hall bar with an active area of  $2 \text{ mm} \times 4 \text{ mm}$  and a film thickness  $d$  of  $0.55 \text{ }\mu\text{m}$  as shown in Fig. 2b. First, we measured the sample in the dark and obtained the properties of the majority carrier: p type,  $p_0 = 8.3 \times 10^{11} \text{ cm}^{-3}$  and  $\mu_p = 9.8 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ . Next, we performed the measurements under several laser intensities (up to about  $40 \text{ mW cm}^{-2}$ ; wavelength  $\lambda = 638 \text{ nm}$ ). Examples of longitudinal ( $R_{xx}$ ) and transverse ( $R_{xy}$ ) magnetoresistance under light are shown in Fig. 2a. The  $R_{xy}$  trace shows the expected Hall signal with a Fourier component at the same frequency ( $f_{ref}$ ) as the magnetic field  $B$  (Fig. 2a). The desired Hall signal  $R_H$  is obtained using numerical lock-in detection<sup>18</sup> based on a reference sinusoidal signal with the same phase as  $B$  (Fig. 2a). The  $\sigma$  and  $H$  values are then calculated from  $R_{xx}$  and  $R_H$ . We also observe a second harmonic component at  $2f_{ref}$  in the  $R_{xy}$  Fourier spectrum, which is also evident in the original  $R_{xy}$  trace as a double frequency oscillation (Fig. 2a). This component is not the desired Hall signal and thus is rejected. It arises from another magnetoresistance effect<sup>25</sup>, which is stronger in  $R_{xx}$ , and also appears in  $R_{xy}$  because of  $R_{xx}$ – $R_{xy}$  mixing due to the finite size of the Hall bar contact arms. This highlights the importance of inspecting the Fourier spectrum of the Hall signal and of using lock-in detection, as opposed to simple amplitude measurement.

The measurement returns a series of  $\sigma$  and  $H$  points that change substantially upon illumination (Fig. 2b):  $\sigma$  increases by a factor of around 340 and  $H$  decreases by a factor of around 1,400. Our photo-Hall



**Fig. 2 | Carrier-resolved photo-Hall analysis in a high-performance perovskite film.** **a**, Magnetoresistance sweep ( $R_{xx}$ , longitudinal;  $R_{xy}$ , transverse), Fourier transform and lock-in detection of the Hall signal ( $R_{xy}$ ). **b**,  $\sigma$ - $H$  plot for photo-Hall analysis. Inset, the perovskite Hall bar device. **c**, Majority ( $\mu_p$ ) and minority ( $\mu_n$ ) carrier mobility and photocarrier density  $\Delta n$

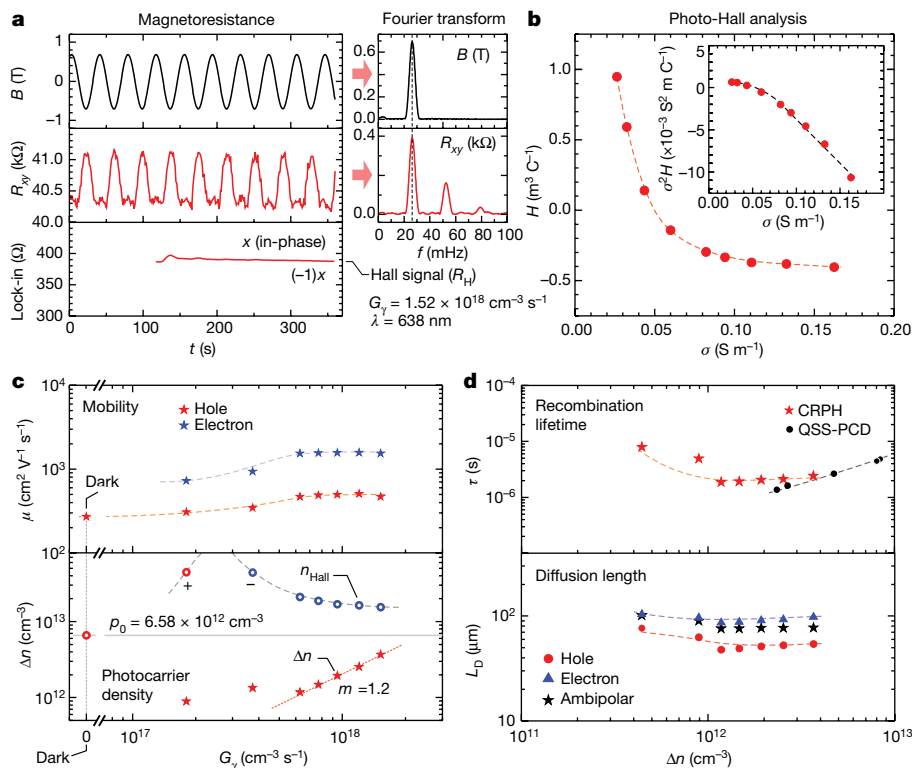
equation (equation (1)) provides a simple and quick insight into the data by looking at the slope of the  $\sigma$ - $H$  data using the log scale. If the slope ( $d \ln H / d \ln \sigma$ ) is equal to  $-2$ , then  $\mu_p = \mu_n$ , if it is larger (less) than  $-2$  while  $H$  is positive, then  $\mu_p > \mu_n$  ( $\mu_p < \mu_n$ ). From Fig. 2b we obtain the overall  $d \ln H / d \ln \sigma = -1.36$ , which implies that  $\mu_p > \mu_n$ . Furthermore, we can evaluate  $\Delta \mu_H$  at any  $\sigma$ - $H$  point—for example, at the maximum light intensity:  $\Delta \mu_H = 1.9 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ . We proceed to solve for  $\mu_p$ ,  $\mu_n$  and  $\Delta n$  using the previously discussed  $\Delta \mu$  model and plot the values with respect to  $G_\gamma$  (Fig. 2c). Owing to a considerable change in mobility with light intensity in the perovskite sample, we used the generalized  $\Delta \mu$  model (as discussed in Supplementary Information section B.2). Given the varying mobilities, this model introduces a correction that yields final mobility values as much as two times smaller than the initial mobility values at the highest light intensity. We obtain the final solution  $\mu_p = (14\text{--}28) \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$  and  $\mu_n = (7\text{--}26) \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ ; both  $\mu_p$  and  $\mu_n$  increase with  $G_\gamma$ . This increase could arise from a light-modulated intragranular barrier effect<sup>1</sup>. We further obtained  $\Delta n$ , which increases with  $G_\gamma$  as expected. For comparison, we also plot the ‘single-carrier’ Hall mobility ( $\mu_H = \sigma H$ ) and Hall density ( $n_H = 1/eH$ ), which have often been used to estimate  $\mu$  and  $\Delta n$  in previous photo-Hall studies<sup>13</sup>. As seen in Fig. 2c, these estimates can be very different from the actual  $\mu_p$ ,  $\mu_n$  and  $\Delta n$  values obtained from the CRPH measurement.

In addition to the basic properties of the majority and minority carriers, we then investigated the recombination mechanism in detail by plotting  $\Delta n$  against  $G_\gamma$ , as shown in Fig. 2c. The data show two power-law regimes following  $\Delta n \approx C_\gamma^m$  with  $m \approx 1$  and  $m \approx 0.5$ . The  $m = 1$  ( $m = 0.5$ ) behaviour is expected for a monomolecular recombination (bimolecular recombination) regime<sup>13</sup>; however, in this case the  $m \approx 0.5$  regime is more

plotted against absorbed photon density  $G_\gamma$ , with  $n_{\text{Hall}}$  and  $\mu_{\text{Hall}}$  denoting the single-carrier Hall density and mobility. The background carrier density  $p_0$  is indicated by a grey line. **d**, Recombination lifetime ( $\tau$ ) and diffusion length ( $L_D$ ) mapped against  $\Delta n$ . All dashed curves are guides for the eye.

likely explained by trapping. Consider, for example, a single-level trap model. The lifetime—for example, for a hole—is given as:  $\tau = 1/C_p n_r$ , where  $C_p$  represents the capture cross-section for a hole and  $n_r$  is the density of the trapped electrons. At very low light intensities, the lifetime is constant because  $n_r$  is dominated by the equilibrium (dark) level of charged electron traps,  $n_r = n_{r0}$ . As the light intensity increases, the number of charged traps increases owing to the increase in injected electrons. This in turn reduces  $\tau$  and explains the low exponent ( $m \approx 0.5$ ) seen<sup>26</sup> in Fig. 2c. The alternative explanation of bimolecular recombination can be discarded because the maximum photocarrier density in our experiment ( $\Delta n \approx 10^{14} \text{ cm}^{-3}$ ) is around 1,000 times lower than the typical density required ( $\Delta n \approx 10^{17} \text{ cm}^{-3}$ ) in order for the bimolecular recombination to dominate in perovskite<sup>27,28</sup> (Supplementary Information section D).

The measurement also provides access to the recombination lifetime,  $\tau = \Delta n / G$  and the carrier diffusion length,  $L_D = \sqrt{k_B T \mu \tau / e}$ , where  $k_B$  is the Boltzmann constant and  $T$  is temperature.  $G$  is the photocarrier generation rate given as  $G = \eta G_\gamma$ , where  $\eta$  is the photocarrier generation efficiency, which is often assumed to be unity. At high injection level when  $\Delta n, \Delta p > p_0$ , it is more appropriate to use an ambipolar diffusion length<sup>29</sup>, which can also be calculated from our CRPH data:  $L_{D,\text{am}} = \sqrt{k_B T \tau (n + p) / e (n / \mu_p + p / \mu_n)}$ . Furthermore, we can plot these results as a function of  $\Delta n$  (Fig. 2d). The hole, electron and ambipolar diffusion lengths fall very close to each other given similar hole and electron mobilities. From this analysis, we obtain values of  $\tau$  up to 40  $\mu\text{s}$  and  $L_D$  values of around 30  $\mu\text{m}$  at the lowest light intensity. However, these values vary markedly, and decrease to 44 ns and 1.7  $\mu\text{m}$ , respectively, at the highest light intensity. The relatively high values of  $\tau$  and  $L_D$  obtained in this study attest to the high quality of this



**Fig. 3 | Carrier-resolved photo-Hall analysis in a single-crystal p-silicon sample.** **a**, Transverse magnetoresistance sweep ( $R_{xy}$ ), Fourier transform and lock-in detection of the Hall signal. **b**,  $\sigma$ - $H$  plot for photo-Hall analysis. The inset shows the equivalent plot in the form of  $\sigma^2 H$  against  $\sigma$ . **c**, Majority ( $\mu_p$ ) and minority ( $\mu_n$ ) mobility and photocarrier density  $\Delta n$  plotted against absorbed

photon density  $G_V$ .  $n_{\text{Hall}}$  is the single-carrier Hall density. **d**, Recombination lifetime and minority carrier diffusion length plotted against  $\Delta n$ .  $\tau$  values measured using the quasi-steady-state photoconductance decay (QSS-PCD) technique are shown as black circles. All dashed curves are guides for the eye.

perovskite film<sup>24</sup>. We also compare our results with recent transport studies for perovskites (Supplementary Table 3) and obtain general agreement. We highlight that, given the large variation in  $\tau$  and  $L_D$  with  $G_V$ , it is crucial to state the values of  $G_V$  or  $\Delta n$  when reporting these measurements.

In the second example, we investigate a single-crystal silicon sample. The sample is a Hall bar made of B-doped, Czochralski-grown silicon with active area of 3 mm  $\times$  3 mm and a thickness  $d$  of 725  $\mu\text{m}$ . This study demonstrates CRPH measurement of a well-known material, in the low injection regime and with a large thickness ( $d \gg 1/\alpha$  and  $L_D$ ). We used a laser with a wavelength of 638 nm and an intensity of up to 50 mW  $\text{cm}^{-2}$ . First, we obtain the  $\sigma$ - $H$  curve that begins with a positive  $H$  value in the dark, indicating a p-type material with  $\rho_0 = 6.6 \times 10^{12} \text{ cm}^{-3}$  (Fig. 3b). At higher light intensity,  $H$  becomes negative, indicating increasing electron (minority) carrier conductivity. For convenient extraction of  $\Delta\mu_H$  we plot  $\sigma^2 H$  against  $\sigma$  (Fig. 3b, inset), which is more appropriate for low-injection analysis. The data shows a monotonic behaviour with nearly constant slope at a high-intensity regime, which yields  $\Delta\mu_H = -1,070 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ .

We then calculated  $\mu_p$ ,  $\mu_n$  and  $\Delta n$  using equations (2) and (3), with the results shown in Fig. 3c, d. We obtain an average majority mobility of  $\mu_p = 486 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ , and a minority mobility of  $\mu_n = 1,560 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ ; these values are in good agreement with the hole (around 500  $\text{cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ ) and electron (around 1,500  $\text{cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ ) mobilities in silicon<sup>20</sup>. These values are sufficiently constant as a function of light intensity that we do not need to attempt the mobility-variation correction using the generalized model as for the perovskite analysis. We also plotted  $\Delta n$  against  $G_V$  and obtained a curve that follows  $\Delta n \approx G_V^m$  with  $m = 1.2$ ; this suggests a monomolecular recombination regime, as expected for silicon<sup>20</sup>. At the highest light intensity, we obtain  $\tau \approx 2 \mu\text{s}$  and  $L_{D,N} \approx 90 \mu\text{m}$ . For comparison, we also measured the lifetime using a quasi-steady-state photoconductance technique<sup>30</sup>; this yields  $\tau$  values of 1–5  $\mu\text{s}$  for

$\Delta n = 2 \times 10^{12}$ – $10^{13} \text{ cm}^{-3}$ , in close agreement with the CRPH result (Fig. 3d, Methods). As an additional example of CRPH measurement in the low-injection regime we studied the material kesterite ( $\text{Cu}_2\text{ZnSn}(\text{S,Se})_4$ ), which is also of high interest for photovoltaics applications (Supplementary Information sections E, G).

In contrast to the classic Hall effect, which only yields three parameters, the CRPH technique yields 7N parameters:  $\mu_p$ ,  $\mu_n$ ,  $\Delta n$ ,  $\tau$ ,  $L_{D,N}$ ,  $L_{D,P}$  and  $L_{D,am}$  repeated at  $N$  light intensities. Additionally, it is also possible to calculate the relevant recombination coefficient; for example,  $k_1 = 1/\tau$  in the monomolecular recombination regime. Of the many electrical transport measurements performed on perovskites (as summarized in Supplementary Table 3), this is the first time to our knowledge that all minority and majority carrier characteristics have been determined simultaneously from a single experimental setup, on a single sample and mapped against varying light intensities under steady-state conditions. This demonstrates the power of the CRPH technique and represents a considerable expansion of the original Hall effect measurement<sup>3</sup>. The approach should also provide a valuable means of investigating the charge-carrier parameters of a wide range of conventional and emerging semiconductors for solar cells and broader applications.

### Online content

Any methods, additional references, Nature Research reporting summaries, source data, extended data, supplementary information, acknowledgements, peer review information; details of author contributions and competing interests; and statements of data and code availability are available at <https://doi.org/10.1038/s41586-019-1632-2>.

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### Photo-Hall measurement

The experimental setup is shown in Fig. 1a. All measurements were performed at room temperature. Photoexcitation was achieved using a solid-state red laser ( $\lambda = 638$  nm, maximum power 190 mW) for the perovskite and silicon, or a blue laser ( $\lambda = 450$  nm, maximum power 500 mW) for kesterite (Supplementary Information sections E, G). The sample is centred between the PDL magnets and the laser beam is directed through a motorized neutral density filter. A cylindrical lens is used to expand the beam, while a wedge lens deflects the beam onto the sample area. A beam splitter is used to split the beam towards a ‘monitor’ silicon photodetector (PD) to measure the monitor photocurrent ( $I_{\text{PD-mon}}$ ) at every light intensity. The  $I_{\text{PD-mon}}$  is used to determine the incident photon flux ( $\Phi$ ) and the absorbed photon density ( $G_v$ ) on the sample, which is given as  $G_v = (1 - R)\Phi[1 - \exp(-\alpha d)]/d$ , where  $R$  is the reflectivity,  $\alpha$  is the absorption coefficient and  $d$  is the thickness (Supplementary Information section C). The optical properties of the films studied in this work are presented in Supplementary Table 2.

The details of the PDL Hall system are described in Supplementary Information section A. The electronic instrumentation consists of a custom-built PDL motor control box, Keithley 2450 source meter unit (SMU) to apply the voltage or current source to the sample, Keithley 2001 digital multimeter (DMM) for voltage measurement, Keithley 7065 Hall switch matrix card with high impedance buffer amplifiers for routing the signals between the samples, SMU and DMM. For samples with relatively high mobility (perovskite and silicon) we use the d.c. current excitation mode, and for low mobility samples (for example, kesterite) we use a.c. current excitation mode with SRS830 lock-in amplifier to achieve better noise rejection. The PD current is measured using a Keithley 617 electrometer.

At every light intensity, the sheet resistance ( $R_s$ ) is obtained by measuring two states and eight states of longitudinal magnetoresistance ( $R_{xx}$ ) for six-terminal Hall bar and four-terminal van der Pauw samples, respectively. For the Hall bar sample, the sheet resistance is given as  $R_s = R_{xx}W/L$ , where  $W$  is the width and  $L$  is the length of the Hall bar active area. The conductivity of the sample is given as:  $\sigma = 1/R_s d$ . Next, the transverse magnetoresistance ( $R_{yy}$ ) is measured. The PDL master magnet is rotated by a stepper motor system, typically with a speed of 1–2 r.p.m., to generate an a.c. field. A typical magnetic field amplitude on the sample is around 0.70 T for a PDL magnet gap of around 10 mm. A Hall sensor is placed under the master magnet to monitor the oscillating field. The field and  $R_{yy}$  are recorded as a function of time for 15–30 min each sweep. This measurement is repeated at several light intensities ranging from dark to the brightest level, while recording the ‘monitor’ PD current to determine  $G_v$ . After all of the measurements are completed, the sample is replaced with a ‘reference’ photodetector (PD). We then determine the photocurrent ratio,  $k_{\text{PD}} = I_{\text{PD-ref}}/I_{\text{PD-mon}}$ , between the reference PD and the monitor PD at every given light intensity (see Supplementary Information section C for further detail).

Hall signal analysis is performed using a custom program developed in MATLAB<sup>22</sup>. Fourier spectral analysis is used to determine the existence of the magnetoresistance signal ( $R_{xy}$ ) at the same frequency as the magnetic field. We then proceed with phase sensitive lock-in detection, implemented by software, to extract the in-phase component of the Hall signal ( $R_H$ ) while rejecting the out-of-phase component that arises from various sources, such as due to Faraday induction of an electromotive force. We use a typical lock-in time constant of 120–300 s. The Hall coefficient is calculated using  $H = R_H d/B_0$ , where  $B_0$  is the magnetic field amplitude. Therefore, at every light intensity, we obtain a set of  $\sigma$  and  $H$  values and proceed with the photo-Hall analysis. We also provide additional CRPH studies for MAPbI<sub>3</sub> perovskite and a kesterite sample in Supplementary Information sections E, G. For the alternative lifetime measurement in silicon using quasi-steady-state photoconductance technique we used<sup>30</sup> Sinton Instruments WCT-120.

The measurement was performed on the 6” silicon wafer from which the Hall sample originated.

We also make a general remark about the CRPH analysis. First, in the very low light intensity (or low injection) regime—for example,  $G_v < 5 \times 10^{17} \text{ cm}^{-3} \text{ s}$  for the silicon sample in Fig. 3c—the CRPH analysis results become inaccurate, the  $\Delta n$  values are scattered higher than expected from the monomolecular recombination trend. From our experience, in analysing many samples so far (for example, perovskite, Si, kesterite), we expect that this could be due to the accuracy limitation of the  $\sigma$  and  $H$  measurements. For very low light intensity, typically we cannot resolve  $\Delta n$  values smaller than 1% of  $p_0$ , as shown in Fig. 3c. The best analysis results come from the higher intensity regime, in which there is large  $\Delta n$  ( $\Delta n \gg p_0/100$ ) such that substantial changes in  $\sigma$  and  $H$  are noted, as in the perovskite example. Second, if the mobility values of the systems are very low, such as in the case of kesterite samples ( $\mu_p \approx 1 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$  and  $\mu_n \approx 10 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ ), the Hall coefficient measurement becomes noisier and this also affects the accuracy of the analysis.

### Perovskite solar cell

The perovskite films for photo-Hall study are based on the (FAPbI<sub>3</sub>)<sub>1-x</sub>(MAPbBr<sub>3</sub>)<sub>x</sub> mixed-perovskite system, and use a halide perovskite composition analogous to that used in a previous device with a PCE of 17.9% at  $x = 0.15$  as reported in ref.<sup>24</sup>. The PCE was subsequently improved by modifying the film deposition method and adjusting the value of  $x$ . We demonstrated a high average PCE of 20.8% at  $x = 0.12$  for a (FAPbI<sub>3</sub>)<sub>0.88</sub>(MAPbBr<sub>3</sub>)<sub>0.12</sub> device (FTO/bl-TiO<sub>2</sub>/mp-TiO<sub>2</sub>/perovskite/PTAA/Au) under 1 sun conditions (AM 1.5G spectrum, 100 mW cm<sup>-2</sup>). Extended Data Fig. 1a shows photocurrent density–voltage ( $J$ – $V$ ) curves for the (FAPbI<sub>3</sub>)<sub>0.88</sub>(MAPbBr<sub>3</sub>)<sub>0.12</sub> device measured by reverse and forward scans with 10-mV voltage steps and 40-ms delay times under AM 1.5G illumination. The device exhibits a short-circuit current density ( $J_{\text{sc}}$ ) of 23.3 mA cm<sup>-2</sup>, open circuit voltage ( $V_{\text{oc}}$ ) of 1.13 V, and fill factor (FF) of 80.0% by reverse scan. A slightly decreased FF (to 77.8%) by forward scan results in an average PCE of 20.8%. An external quantum efficiency (EQE) spectrum for the device is shown in Extended Data Fig. 1b, demonstrating a very broad plateau of over 80% between 400 nm and 750 nm. The histogram of PCE values for 80 cells is shown in Fig. 1c.

The  $J$ – $V$  curves were measured using a solar simulator (Newport, Oriel Class A, 91195A) with simulated AM 1.5G illumination at 100 mW cm<sup>-2</sup> and a calibrated Si-reference cell certificated by the National Renewable Energy Laboratory. The system uses a Keithley 2420 source meter for  $I$ – $V$  measurement. The measurement was performed at 25 °C under ambient conditions. The devices were pre-illuminated for 30 s under 1 sun and the measurement was performed in the reverse (from 1.5 V to –0.2 V) and the forward (from –0.2 V to 1.5 V) scanning directions. The current density–voltage ( $J$ – $V$ ) curves for the perovskite devices were measured by masking the active area (0.16 cm<sup>2</sup> measured using an optical microscope) with a metal mask of 0.094 cm<sup>2</sup> in area. The EQE was measured by a power source (Newport 300W Xenon lamp, 66920) with a monochromator (Newport Cornerstone 260) and a multimeter (Keithley 2001).

### Fabrication of perovskite solar cells

A 70-nm-thick blocking layer of TiO<sub>2</sub> (bl-TiO<sub>2</sub>) was deposited onto an F-doped SnO<sub>2</sub> (FTO, Pilkington, TEC8) substrate by spray pyrolysis using a 10 vol% titanium diisopropoxidebis (acetylacetonate) solution in ethanol at 450 °C. A TiO<sub>2</sub> slurry was prepared by diluting TiO<sub>2</sub> pastes (Share Chem, SC-HT040) in mixed solvent (2-methoxyethanol:terpineol = 3.5:1 w/w). The 100-nm-thick mesoporous-TiO<sub>2</sub> (mp-TiO<sub>2</sub>) was fabricated by spin coating the TiO<sub>2</sub> slurry onto the bl-TiO<sub>2</sub> layer and subsequently calcining at 500 °C for 1 h in air to remove the organic components. Bis(trifluoromethane) sulfonimide lithium salt was treated onto the mp-TiO<sub>2</sub> layer. Then, the (FAPbI<sub>3</sub>)<sub>0.88</sub>(MAPbBr<sub>3</sub>)<sub>0.12</sub> film was formed using the method described in the section ‘Fabrication of perovskite Hall samples’. A polytriarylamine (PTAA) (EM index,

$M_n = 17,500 \text{ g mol}^{-1}$ )/toluene (10 mg/1 ml) solution with an additive of 7.5  $\mu\text{l}$  Li-bis (trifluoromethanesulfonyl)imide (Li-TFSI)/acetonitrile (170 mg/1 ml) and 4  $\mu\text{l}$  4-*tert*-butylpyridine (TBP) was spin-coated on the perovskite layer/mp-TiO<sub>2</sub>/bl-TiO<sub>2</sub>/FTO substrate at 3,000 r.p.m. for 30 s.

### Fabrication of perovskite Hall samples

All precursor materials were prepared following previous report<sup>24</sup>. To form the perovskite thin film based on the (FAPbI<sub>3</sub>)<sub>0.88</sub>(MAPbBr<sub>3</sub>)<sub>0.12</sub> absorber, the 1.05 M solution dissolving NH<sub>2</sub>CH = NH<sub>2</sub>I (FAI) and CH<sub>3</sub>NH<sub>3</sub>Br (MABr) with PbI<sub>2</sub> and PbBr<sub>2</sub> in *N,N*-dimethylformamide (DMF) and dimethyl sulfoxide (DMSO) (6:1 v/v) was prepared by stirring at 60 °C for 1 h. Then the solution was coated onto a fused silica substrate heated to 60 °C by two consecutive spin-coating steps, at 1,000 and 5,000 r.p.m., for 5 s and 10 s, respectively. During the second spin-coating step, 1 ml ethyl ether was poured onto the substrate after 5 s. Then, the substrate was heat-treated at 150 °C for 10 min. The compact (FAPbI<sub>3</sub>)<sub>0.88</sub>(MAPbBr<sub>3</sub>)<sub>0.12</sub> film with a thickness of 550 nm was obtained. Then, we selectively scraped the film off the substrate to pattern with the desired Hall bar configuration for photo-Hall measurement. The Hall bar is a six-terminal device as shown in Fig. 2b, inset. We deposited an Au metal contact pattern (100-nm thick) and installed a header pin to mount the sample to the PDL Hall tool.

### Data availability

The datasets generated and analysed during the current study are available from the corresponding author on reasonable request.

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**Author contributions** O.G. and B.S. conceived the project. O.G. led the project, built the experimental setup, programmed the analysis software, derived equation (1) and other formulas, and performed measurement and analyses. S.R.P. prepared samples, and performed optical and Hall measurements and analysis. O.G., S.R.P., B.S. and D.M.B. developed data analysis, interpretation and participated in manuscript writing. Y.V. helped with the development of the PDL system and derivation of the formulae. Y.S.L. and D.M.B. helped with the optical study. N.J.J. and J.H.N. prepared the perovskite samples and solar cells. D.B.M., T.T. and X.S. developed the champion CZTSse process. D.B.M. managed the IBM photovoltaics program and participated in manuscript writing.

**Competing interests** The PDL Hall system was developed at IBM Research and documented in the following patent families: (1) O. Gunawan & T. Gokmen, US 9,041,389 (ref. <sup>21</sup>); (2) O. Gunawan & M. Pereira, US 9,772,385 (ref. <sup>22</sup>), US 9,678,040, US 15/581183 and related patent applications (WO 2016162772A1, UK 1717263.6, Japan 2017-552496, Germany 112016000875.9); (3) O. Gunawan, US 15/281,968; (4) O. Gunawan & W. Zhou, US 16/382,937. Patent families (1) and (2) cover the basic a.c. field/PDL Hall system, and (3) and (4) cover the related photo-Hall setup and method.

### Additional information

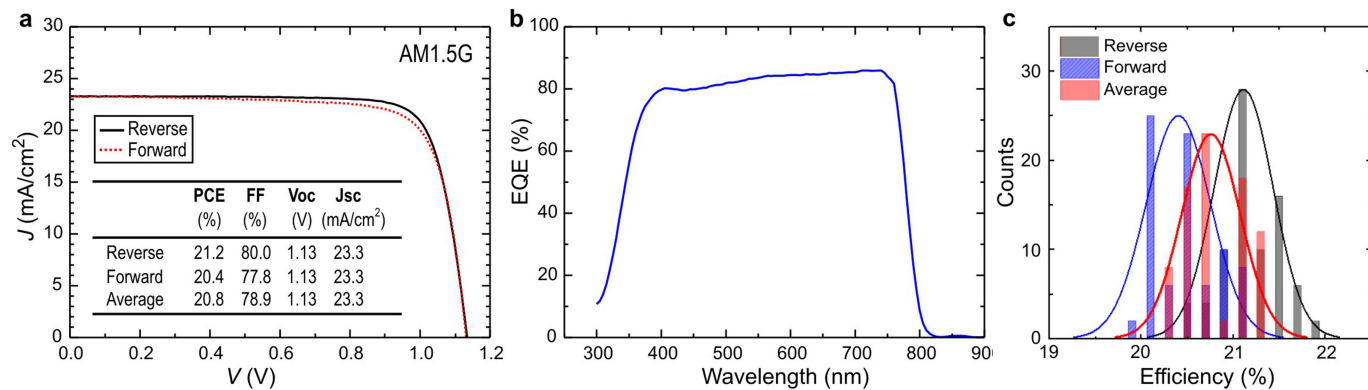
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**Correspondence and requests for materials** should be addressed to O.G. or B.S.

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**Extended Data Fig. 1 | Performance of the  $(\text{FAPbI}_3)_{0.88}(\text{MAPbBr}_3)_{0.12}$  solar cell device. a**, Current density–voltage ( $J$ – $V$ ) curves measured by reverse (black) and forward (red) scans. The photovoltaic performance values are summarized

in the table. **b**, The external quantum efficiency spectrum. **c**, Histogram of the power conversion efficiencies obtained from  $J$ – $V$  curves measured by reverse scan (grey) and forward scan (blue), and the average for 80 cells (red).

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**Supplementary information**

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**Carrier-resolved photo-Hall effect**

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Oki Gunawan, Seong Ryul Pae, Douglas M. Bishop, Yudistira Virgus, Jun Hong Noh, Nam  
Joong Jeon, Yun Seog Lee, Xiaoyan Shao, Teodor Todorov, David B. Mitzi & Byungha Shin

## Supplementary Information for:

# Carrier-Resolved Photo-Hall Effect

Oki Gunawan<sup>1\*</sup>, Seong Ryul Pae<sup>2</sup>, Douglas M. Bishop<sup>1</sup>, Yudistira Virgus<sup>1</sup>, Jun Hong Noh<sup>3,4</sup>, Nam Joong Jeon<sup>3</sup>, Yun Seog Lee<sup>1,5</sup>, Xiaoyan Shao<sup>1</sup>, Teodor Todorov<sup>1</sup>, David B. Mitzi<sup>6,7</sup>, Byungha Shin<sup>2\*</sup>

<sup>1</sup>*IBM T. J. Watson Research Center, Yorktown Heights, NY 10598, USA.*

<sup>2</sup>*Dept. Materials Science and Engineering, Korea Advanced Institute of Science and Technology, 291 Daehak-Ro, Yuseong-Gu, Daejeon 34141, Republic of Korea.*

<sup>3</sup>*Div. of Advanced Materials, Korea Research Institute of Chemical Technology, 141 Gajeong-ro, Yuseong-Gu, Daejeon 305-600, Republic of Korea.*

<sup>4</sup>*School of Civil, Environmental and Architectural Engineering and Green School, Korea University, Seoul 02841, Republic of Korea.*

<sup>5</sup>*Dept. Mechanical and Aerospace Engineering, Seoul National University, 1 Gwanak-Ro, Gwanak-Gu, Seoul 08826, Republic of Korea.*

<sup>6</sup>*Dept. of Mechanical Engineering and Material Science, Duke University, Durham, NC 27708, USA.*

<sup>7</sup>*Dept. of Chemistry, Duke University, Durham, NC 27708, USA.*

\*Corresponding authors: Oki Gunawan:ogunawa@us.ibm.com, Byungha Shin: byungha@kaist.ac.kr

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## A. The Parallel Dipole Line Hall System

Employing an ac magnetic field system is critical for Hall measurement of materials with low mobilities ( $\mu < 10 \text{ cm}^2/\text{Vs}$ ) or high resistivity. Implementation of an ac field with traditional electromagnets is challenging due to highly inductive load impedance that attenuates the output field, which in turn requires a power factor correction instrument using a variable capacitor bank system or a special power supply, both of which are costly and inefficient. Commercial ac Hall electromagnet systems are available, but very expensive (>US\$100k); thus, ac field generation systems using permanent magnets have been pursued by many groups<sup>18,21,22,31,32</sup>.

The parallel dipole line (PDL) Hall system was originally developed to support kesterite  $\text{Cu}_2\text{ZnSn}(\text{S},\text{Se})_4$  (CZTSSe) solar cell development at IBM Research<sup>18</sup> and possesses characteristics suitable for high sensitivity ac-Hall and photo-Hall experiments. The system offers several advantages such as: (1) strong magnetic field up to  $\sim 2 \text{ T}$  peak-to-peak for PDL gap of 4 mm, (2) pure harmonic and unidirectional ac field generation, (3) compact and low cost setup, and more importantly: (4) ample space that allows directing large area illumination ( $\sim 10 \text{ mm} \times 10 \text{ mm}$ ) to the sample from the side of the PDL magnets (see Fig. 1a). The PDL system is based on a recently-discovered natural magnetic trap that harbors a new type of field confinement effect that forms a camelback field profile along its central longitudinal axis<sup>18,23</sup>. The PDL Hall system consists of a pair of dipole line or diametric magnets, i.e. cylindrical magnets with uniform transverse magnetization. The diametric magnet produces an exterior magnetic field equal to that of a linear distribution of transverse dipoles<sup>18</sup>. This effect is analogous to the fact that a uniformly magnetized sphere produces a perfect point dipole field at its exterior.

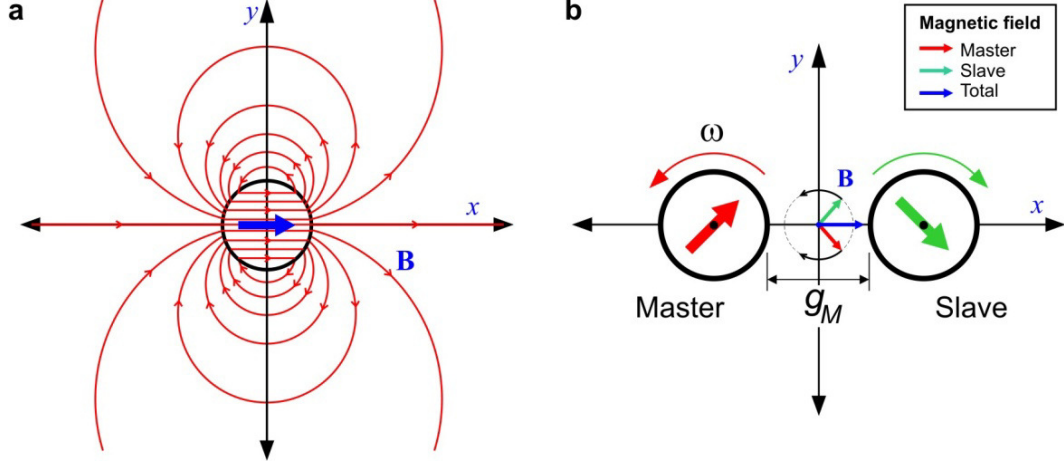
To describe the field characteristics of a PDL system, we use the following elegant description suggested by K.T. McDonald<sup>33</sup> (see also ref. 23, Supplementary Material B). Considering a long dipole line (or a long diametric magnet) system, the field distribution can be described by a simple complex potential function of the form  $f(u) \sim 1/u$ , specifically:

$$f(u) = \frac{M R^2}{2u}, \quad (4)$$

where  $u = x + iy$  is a complex number within the  $x, y$  coordinate system,  $M$  is the volume magnetization of the magnet which points to  $+x$  direction and  $R$  is the magnet radius. The magnetic field outside the magnet is given as:

$$\mathbf{B}(x, y) = -\mu_0 \nabla \text{Re}[f(u)], \quad (5)$$

which yields:  $\mathbf{B}(x, y) = \mu_0 M R^2 / 2(x^2 + y^2)^2 \times [(x^2 - y^2) \hat{\mathbf{x}} + 2xy \hat{\mathbf{y}}]$ , where  $\mu_0$  is the magnetic permeability in vacuum. This field distribution is plotted in Fig. S1a. Note that the field lines form parts of *perfect circle*<sup>23</sup>.



**Figure S1.** (a) A long dipole line (diametric) magnet and its field distribution. (b) The rotating PDL Hall system and its field evolution (see also Supplementary Video S1).

In the rotating PDL Hall configuration, we have a pair of diametric magnets whose centers are placed at  $(\pm a, 0)$ , separated by a gap  $g_M$  as shown in Fig. S1b, where  $a = R + g_M/2$ . The sample is placed at the center, with the sample normal pointing along the  $x$ -axis. Only one of the magnets (the "Master") needs to be driven by a motor and gearbox system, with angular speed  $\omega$ , and the other magnet (the "Slave") synchronously follows in the opposite direction. The complex potential function of such rotating PDL system is given as:

$$f_{PDL}(u) = \frac{MR^2}{2} \left( \frac{e^{i\omega t}}{u-a} + \frac{e^{-i\omega t}}{u+a} \right). \quad (6)$$

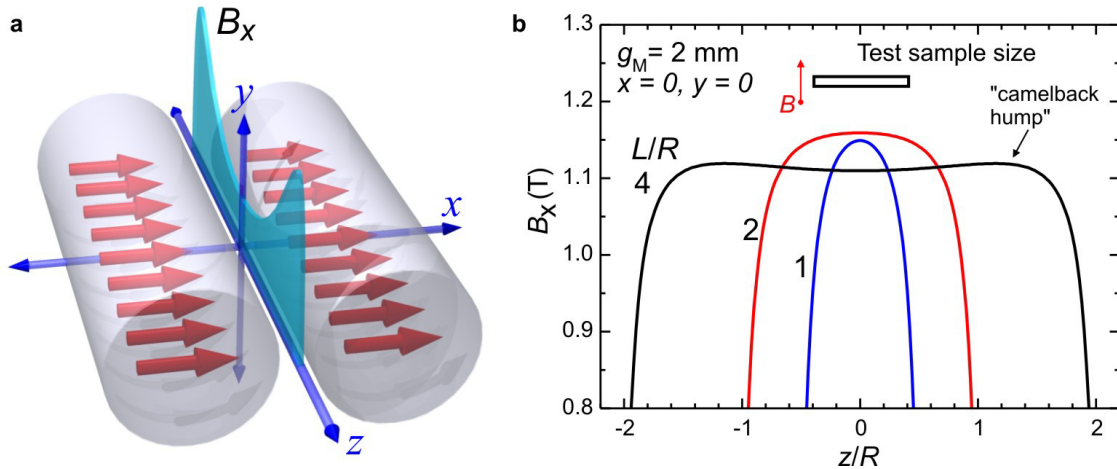
The total magnetic field at the center  $(0, 0)$  where the sample resides reduces to a very simple form:

$$\mathbf{B}_T(0,0) = -\mu_0 \nabla \text{Re}[f_{PDL}(u)] = B_0 \cos \omega t \hat{\mathbf{x}}, \quad \text{with: } B_0 = \frac{\mu_0 M R^2}{(R + g_M/2)^2}. \quad (7)$$

Note that the  $y$ -component field vanishes, leaving only the  $x$ -component, and a pure single harmonic field term,  $\cos \omega t$ . The geometric description of the system also provides a simple explanation of this rotating PDL field characteristic, as shown in Fig. S1b. Each magnet produces a counter-rotating field that cancels off the  $y$ -component, leaving behind only a total oscillating field in the  $x$ -direction. An animation of the PDL field evolution is shown in Supplementary Video S1, which provides clear visualization of this effect. *We emphasize that this natural field characteristic of the rotating PDL system produces the desired qualities for our photo-Hall experiment: a unidirectional field that mainly excites the desired Hall effect, without any out-of-plane field that may produce an extra parasitic magnetoresistance signal, and a pure harmonic ac field that simplifies the Fourier analysis and lock-in detection.* We also calibrate the magnetic field at the sample position (i.e., placed at the center of the PDL system) for various magnet gaps using a

gaussmeter (Lakeshore 410 Gaussmeter). This then represents the amplitude ( $B_0$ ) of the oscillating field.

Another important design consideration is the size or aspect ratio (length / radius) of the diametric magnet. If the length of the magnet is too short, the field on the sample will be non-uniform, while if it is too long the torque required to drive the system will be unnecessarily large (requiring a more powerful motor or gearbox and causing a more jerky motion due to the large oscillating torque). For this problem we have to recognize the *camelback effect*, which is the central feature of the PDL system that enables it to become a natural diamagnetic trap<sup>18</sup>, as shown in Figure S2a. This effect occurs when the length of the dipole line system exceeds a certain critical length  $L_C$ , that results in a slightly enhanced field at the edges, thus producing a camelback field profile. Figure S2b also shows the field distribution at the center of the PDL system with different magnet aspect ratios of  $L/R = 1, 2$  and  $4$ . The magnetic field along the  $z$ -axis is most uniform when the field profile at the center is flat ( $d^2B/dz^2 = 0$ ). Therefore, we design our PDL magnet length *at the critical length for the camelback effect, which occurs at  $L_C \sim 2.5a$ , where  $2a$  is the separation of the two dipole line system*<sup>23</sup>. In the actual setup, when we take into account a typical gap of  $g_M \sim 5$  mm, we choose  $L \sim 2R$ .



**Figure S2.** (a) The "camelback effect"<sup>23</sup> in a parallel dipole line system where the magnetic field ( $B_x$ ) is enhanced at the edges. This effect is used to optimize the field uniformity in the PDL Hall system. (b) The field distribution along the longitudinal axis at various magnet aspect ratios:  $L/R = 1, 2$  and  $4$ .

## **B. The Photo-Hall Equation and Related Formulas**

### **B.1 Basic $\Delta\mu$ Model (Constant Mobility)**

Here we derive the new photo-Hall equation starting from the well-known two-carrier Hall equations in the low field regime ( $B \ll 1/\mu$ )<sup>20,34</sup>:

$$\sigma = e(p\mu_p + n\mu_N) \quad (8)$$

$$H = \frac{r(p - \beta^2 n)}{(p + \beta n)^2 e}, \quad (9)$$

where  $\mu_p$ ,  $\mu_N$  are the hole and electron (drift) mobilities,  $\beta = \mu_N / \mu_p$  is the mobility ratio for the electron and hole, and  $r$  is the Hall scattering factor that lies between 1 and 2 and becomes closer to 1 at high magnetic field. As the value of  $r$  is often unknown, it is frequently assumed to be unity<sup>19,20</sup>. The Hall scattering factor  $r$  relates the drift and Hall mobility as:  $\mu_H = r\mu$  (ref. 19, eq. 71). The low field condition is well satisfied in this study, e.g. the maximum mobility for perovskite is of order 10 cm<sup>2</sup>/Vs and maximum magnetic field used is ~0.7 T; thus,  $B \ll 1/\mu$ . We use a  $P$ -type material as an example, but we emphasize that the photo-Hall equation also applies to  $N$ -type materials.

In a photo-Hall experiment for a  $P$ -type material we have:  $p = p_0 + \Delta p$  and  $n = \Delta n$ . The electron and hole photo-carrier densities,  $\Delta n$  and  $\Delta p$ , respectively, are equal under steady state equilibrium i.e.,  $\Delta p = \Delta n$ . As mentioned in the main text, the key insight in solving the photo-Hall transport problem is to extract the information about the system mobility values from the  $\sigma$ - $H$  curve. The quantities  $\sigma$  and  $H$  are actually parametric, as they are obtained experimentally as a function light intensity or absorbed photon density ( $G_\gamma$ ). We then have:

$$\sigma = e\mu_p [p_0 + \Delta n(1 + \beta)] \quad (10)$$

$$\frac{d\sigma}{d\Delta n} = e\mu_p (1 + \beta) \quad (11)$$

We assume that the dark or background carrier density  $p_0$  and mobilities are constant in the vicinity of the  $(\sigma, H)$  measurement point where the derivative is evaluated. We can then deduce from the two-carrier Hall coefficient (eq. 9):

$$H = \frac{r(p_0 + \Delta n(1 - \beta^2))}{[p_0 + \Delta n(1 + \beta)]^2 e} = \frac{r e \mu_p^2 [p_0 + \Delta n(1 - \beta^2)]}{\sigma^2}, \quad \text{and} \quad (12)$$

$$\frac{d(\sigma^2 H)}{d\Delta n} = r e \mu_p^2 (1 - \beta^2) = \frac{d\sigma}{d\Delta n} \frac{r \mu_p (1 - \beta^2)}{1 + \beta} = \frac{d\sigma}{d\Delta n} r \mu_p (1 - \beta) = \frac{d\sigma}{d\Delta n} r \Delta \mu, \quad (13)$$

where  $\Delta\mu = \mu_p - \mu_N$  is the (drift) mobility difference. The key step here is that the dependence on  $\Delta n$  can be eliminated; thus, we can relate the mobility difference only to  $\sigma$  and  $H$ . For simplicity, we define the "Hall" mobility difference:  $\Delta\mu_H = r\Delta\mu$ , which can be written as:

$$\Delta\mu_H = \frac{d(\sigma^2 H)}{d\sigma}. \quad (14)$$

This expression suggests that we could extract  $\Delta\mu_H$  from the slope of  $\sigma^2 H$  vs.  $\sigma$  plot which is an appropriate analysis for photo-Hall measurement in the low-injection regime ( $\Delta n < p_0$ ). We use this approach, for example in analyzing silicon and kesterite samples in this report (see Fig. 3 and Fig. S7). In cases where the mobilities are constant, the  $\sigma^2 H$  vs.  $\sigma$  plot is linear and  $\Delta\mu_H$  is constant.

Another equivalent form of eq. (14) is given as:

$$\Delta\mu_H = \left( 2 + \frac{d \ln H}{d \ln \sigma} \right) \sigma H, \quad (15)$$

This form is more suitable for photo-Hall analysis in high injection regime where  $\Delta n \gg p_0$ , such as in perovskite, since the  $\sigma$ - $H$  data is more appropriately presented in the log-log plot. This expression also provides a quick and simple interpretation of the  $H$  vs.  $\sigma$  data by looking at the slope in the log-log scale as discussed in the main text, e.g. when the slope  $d \ln H / d \ln \sigma = -2$ , then both mobility are equal:  $\mu_p = \mu_N$ . We note that repeating the derivation in eq. (10-13) for an  $N$ -type material will lead to the same expressions as eqs. (14) and (15).

Once we know  $\Delta\mu$ , then we can solve for the photo-Hall transport parameters ( $\beta$ ,  $\mu_p$ ,  $\mu_N$  and  $\Delta n$ ) by solving eqs. (8) and (9). These solutions are given in Table 1, eq. (16) and (17) (also shown as eqs. (2) and (3) in the main text) for  $P$ -type and  $N$ -type material, respectively. We refer to this solution set as the " $\Delta\mu$ " model. Note that one needs to know the dark or background carrier density, i.e.  $p_0$  for  $P$ -type material or  $n_0$  for  $N$ -type material, which is obtained from the classic Hall measurement in the dark. In the photo-Hall analysis, it is useful to monitor the "single carrier" Hall mobility: i.e.  $\mu_H = \sigma H$  and "single-carrier" Hall density: i.e.  $n_H = 1/eH$ . In the dark, the single carrier mobility  $\mu_H$  is certainly equal to the majority carrier mobility and at very high light intensity or very high injection level ( $\Delta n \gg p_0$ ), it can be shown that  $\mu_H \rightarrow \Delta\mu_H$  (see e.g. Fig. 2c). Similarly in the dark, the "single carrier" Hall density  $n_H$  is equal to the majority carrier density and at very high light intensity or very high injection level ( $\Delta n \gg p_0$ ) we have:  $n_H \rightarrow \Delta n(1 + \beta)/(1 - \beta)$ .

For completeness and verification purposes, we also present additional trivial photo-Hall solution models i.e., solutions if additional information, such as  $\beta$ , one or two mobilities are known. For example, if we assume a known  $\beta$ , majority mobility ( $\mu_M$ ) or both (" $\mu_{p-N}$ " for  $\mu_p$  and  $\mu_N$ ), we can solve the transport problem accordingly. We refer to these as " $\beta$ ", " $\mu_M$ " and " $\mu_{p-N}$ " models, respectively, as summarized in Table 1 row 2 to 4. These additional models are sometimes useful



for checking the overall solutions or when the data are very noisy. In all models, one needs to know the dark carrier density or conductivity ( $p_0$ ,  $n_0$  or  $\sigma_0$ ).

**Table 1.** The carrier-resolved photo-Hall solution models and formulas for  $P$  and  $N$ -type materials

NO	MODEL	TYPE	FORMULA	
1.	$\Delta\mu$	<b>P</b>	$\Delta\mu_H = \frac{d(\sigma^2 H)}{d\sigma}$	$\beta = \frac{2\sigma(r\Delta\mu - \sigma H) - re\Delta\mu^2 p_0 \pm \Delta\mu\sqrt{re p_0}\sqrt{re\Delta\mu^2 p_0 + 4\sigma(\sigma H - r\Delta\mu)}}{2\sigma(r\Delta\mu - \sigma H)}$ $\Delta n = \frac{\sigma(1 - \beta) - e\Delta\mu p_0}{e\Delta\mu(1 + \beta)} \quad (16)$
		<b>N</b>	$\mu_p = \frac{\Delta\mu}{1 - \beta}$ $\mu_N = \beta\mu_p$	$\beta = \frac{2\sigma(r\Delta\mu - \sigma H) + re\Delta\mu^2 n_0 \pm \Delta\mu\sqrt{ren_0}\sqrt{r\Delta\mu^2 n_0 + 4\sigma(r\Delta\mu - \sigma H)}}{2\sigma(r\Delta\mu - \sigma H)}$ $\Delta p = \frac{\sigma(1 - \beta) - e\Delta\mu n_0 \beta}{e\Delta\mu(1 + \beta)} \quad (17)$
2.	$\beta$	<b>P</b>		$\Delta n = \frac{r - 2e p_0 H - r\beta \pm \sqrt{r^2 + r\beta(r\beta + 4e p_0 H - 2r)}}{2eH(1 + \beta)}$ $\mu_p = \frac{\sigma}{e[p_0 + \Delta n(1 + \beta)]} \quad (18)$
		<b>N</b>		$\Delta p = \frac{r - 2e n_0 H \beta(1 + \beta) - r\beta^2 \pm \sqrt{r(1 + \beta)^2(r + \beta[r\beta - 4e n_0 H - 2r])}}{2eH(1 + \beta)^2}$ $\mu_N = \frac{\sigma}{e[n_0 + \Delta p(1 + \beta)/\beta]} \quad (19)$
3.	$\mu_M$	<b>P</b>		$\beta = \frac{\sigma}{r\mu_p} \frac{(r\mu_p - \sigma H)}{(\sigma - e p_0 \mu_p)}$ $\Delta n = \frac{\sigma - e p_0 \mu_p}{e(1 + \beta)\mu_p} \quad (20)$
		<b>N</b>		$\beta = \frac{\mu_N}{\sigma} \frac{r(\sigma - e n_0 \mu_N)}{(r\mu_N + \sigma H)}$ $\Delta p = \frac{(\sigma - e n_0 \mu_N)\beta}{e(1 + \beta)\mu_N} \quad (21)$
4.	$\mu_{P-N}$	<b>P/N</b>		$\Delta n = \frac{\sigma - \sigma_0}{e(\mu_p + \mu_N)} \quad (22)$

## B.2 Generalized $\Delta\mu$ Model (Varying Mobility)

We describe a generalized photo-Hall identity equation that accounts for varying mobilities. It modifies the basic  $\Delta\mu$  model in the previous section that assumes constant mobilities. This model introduces corrections for the perovskite CRPH analysis, especially at high light intensity, where there is an apparent increase in mobility. Mobility could change with increasing light intensity, for example, due to the filling of the electronic traps or defects and increased screening at higher carrier density.

When the mobilities vary, the photo-Hall equation  $\Delta\mu_H$  will have additional corrections, which we refer to as the "generalized  $\Delta\mu$  model" given as:

$$\Delta\mu_H' = [\Delta\mu_H + c_1]c_2, \quad (23)$$

where the terms  $c_1$  and  $c_2$  (derived in next section) are given as (for  $P$ -type materials):

$$c_1 = 2e\mu_p \left( \mu_p \Delta n \beta \frac{d\beta}{d\sigma} - \frac{d\mu_p}{d\sigma} [p_0 + \Delta n(1 - \beta^2)] \right) \quad (24)$$

$$c_2 = \left( 1 - e\mu_p \Delta n \frac{d\beta}{d\sigma} - e \frac{d\mu_p}{d\sigma} [p_0 + \Delta n(1 + \beta)] \right)^{-1}. \quad (25)$$

For  $N$ -type materials, we have:

$$c_1 = 2e\mu_p \left( \mu_p \Delta n \beta \frac{d\beta}{d\sigma} + \mu_p n_0 \beta \frac{d\beta}{d\sigma} - \frac{d\mu_p}{d\sigma} [\Delta n(1 - \beta^2) - n_0 \beta^2] \right) \quad (26)$$

$$c_2 = \left( 1 - e\mu_p \left( \Delta n \frac{d\beta}{d\sigma} + n_0 \frac{d\beta}{d\sigma} \right) - e \frac{d\mu_p}{d\sigma} [\Delta n(1 + \beta) + n_0 \beta] \right)^{-1}. \quad (27)$$

The new term  $c_1$  and  $c_2$  reflect the offset and scaling factor modifications of  $\Delta\mu_H$ . Note that when the mobilities ( $\mu_p$  and  $\mu_n$ ) are constant we have  $c_1 = 0$  and  $c_2 = 1$  and eq. (23) reduces to eq. (1). In this generalized model, we still use eqs. (2) and (3) to calculate the mobility ratio  $\beta$  and  $\Delta n$ .

In practice, the evaluation of  $c_1$  and  $c_2$  requires the knowledge of  $\mu_p$  and  $\mu_n$  (or  $\beta$ ) vs.  $\sigma$ , which are initially unknown. Thus, an iterative process is needed for a self-consistent solution. First, we attempt the baseline solution assuming a constant mobility using eqs. (1-3). If the results produce reasonably constant mobilities, we accept this as the final solution; however, if the results show varying mobilities, we then calculate the constants  $c_1$  and  $c_2$  and the new  $\Delta\mu$  using eq. (23). We then proceed to calculate  $\mu_p$ ,  $\mu_n$ , and  $\Delta n$  again using eqs. (2) and (3) until we arrive at converged solutions, for which the  $\Delta\mu$  remains practically constant after several iterations (and thus  $\mu_p$ ,  $\mu_n$ , and  $\Delta n$ ).

### B.3 Derivation of the Generalized $\Delta\mu$ Model:

We obtain the generalized  $\Delta\mu$  equation (eq. 23) by repeating the derivation of the basic  $\Delta\mu$  equation in Section B.1, but by considering varying mobilities:  $d\mu_p/d\sigma \neq 0$  and  $d\beta/d\sigma \neq 0$ . We use a  $P$ -type material as an example. For the conductivity we have:

$$\frac{d\sigma}{d\Delta n} = e\mu_p(1+\beta) + e\mu_p\Delta n \frac{d\beta}{d\Delta n} + e \frac{d\mu_p}{d\Delta n} [p_0 + \Delta n(1+\beta)] \quad (28)$$

$$e\mu_p(1+\beta) = \frac{d\sigma}{d\Delta n} - e\mu_p\Delta n \frac{d\beta}{d\Delta n} - e \frac{d\mu_p}{d\Delta n} [p_0 + \Delta n(1+\beta)] \quad (29)$$

We combine both  $\sigma$  and  $H$  and find their derivatives:

$$\frac{d(\sigma^2 H)}{rd\Delta n} = e\mu_p^2(1-\beta^2) - 2e\mu_p^2\Delta n\beta \frac{d\beta}{d\Delta n} + 2e\mu_p \frac{d\mu_p}{d\Delta n} [p_0 + \Delta n(1-\beta^2)] \quad (30)$$

$$e\mu_p^2(1-\beta^2) = \frac{d(\sigma^2 H)}{rd\Delta n} + 2e\mu_p^2\Delta n\beta \frac{d\beta}{d\Delta n} - 2e\mu_p \frac{d\mu_p}{d\Delta n} [p_0 + \Delta n(1-\beta^2)] \quad (31)$$

By dividing eqs. (31) and (29), we obtain the generalized equation for  $\Delta\mu$  that accounts for varying mobilities:

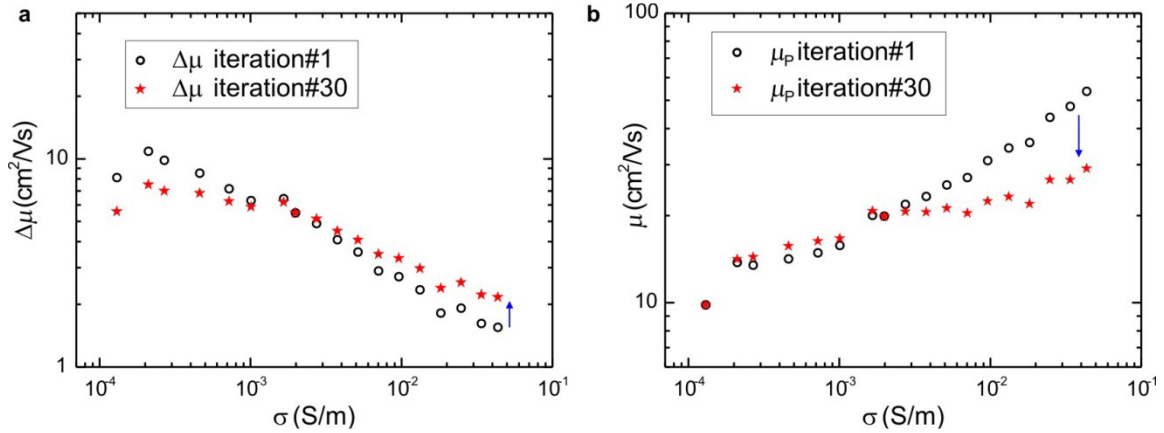
$$\Delta\mu_H' = \frac{e\mu_p^2(1-\beta^2)}{e\mu_p(1+\beta)} = \left[ \frac{d(\sigma^2 H)}{d\sigma} + c_1 \right] c_2 = [\Delta\mu_H + c_1] c_2 \quad (32)$$

Derivation for  $N$ -type materials is similar to the steps above, with  $c_1$  and  $c_2$  given in eqs. (26) to (27).

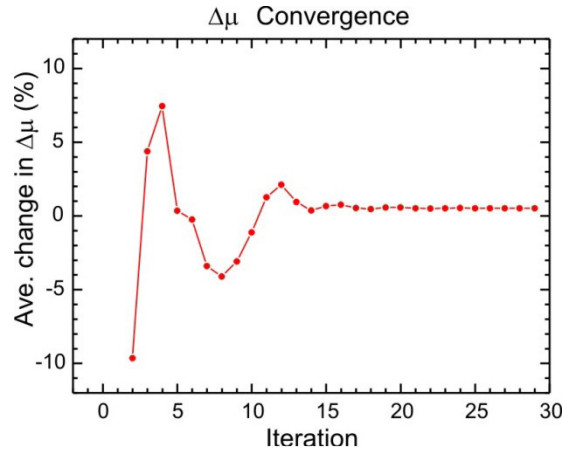
### B.4 Application of the Generalized $\Delta\mu$ Model:

We apply the generalized  $\Delta\mu$  model when we have significant slope in the mobility ( $d\mu_p/d\sigma$ ) or its ratio ( $d\beta/d\sigma$ ), especially in the high light intensity regime (since, for low intensity, the data are generally more noisy). As an example, we can consider the perovskite case. First, we calculate the baseline mobility difference ( $\Delta\mu$ ) using eq. (1), which assumes constant mobility. Then, we proceed to calculate the solutions ( $\mu_p$ ,  $\mu_n$  and  $\Delta n$ ) using eqs. (2) and (3). An example of the first iteration of  $\Delta\mu$  and  $\mu_p$  calculation is shown in Figure S3. We notice that there is a significant slope in  $\mu_p$  as a function of conductivity  $\sigma$ , thus prompting us to proceed to calculate  $c_1$  and  $c_2$  (eqs. 24-27). The numerical derivative operation is generally noisy; thus, we fit the  $\mu_p$  and  $\beta$  vs.  $\sigma$  data with smoothed curves, from which we can calculate the slopes  $d\mu_p/d\sigma$  and  $d\beta/d\sigma$  to obtain  $c_1$  and  $c_2$ . We subsequently proceed with the next iteration to obtain the new  $\Delta\mu$  value, using the generalized

model (eq. 23), and calculate a new set of solutions ( $\mu_p$ ,  $\mu_n$  and  $\Delta n$ ). This iteration is continued until there is practically no more changes in the  $\Delta\mu$  vs.  $\sigma$  plot with successive iteration, which indicates that the solution has converged. We track the average changes of  $\Delta\mu$  at every iteration (see Figure S4) and observe that there are initially large changes in  $\Delta\mu$  ( $\sim 10\%$ ). However, after about 20 iterations, the solutions converge, which indicates that the final solution has been obtained. This generalized model correction reduces the initial solution for  $\mu_p$  by  $\sim 2\times$  at the highest light intensity.



**Figure S3.** Iterative process for calculating the photo-Hall solutions of the (FA,MA)Pb(I,Br)<sub>3</sub> perovskite sample in Fig. 2: (a) Mobility difference  $\Delta\mu$ . (b) Hole mobility ( $\mu_p$ ).



**Figure S4.** Iteration of the generalized  $\Delta\mu$  model calculation showing the average error in  $\Delta\mu$  of the  $i$ -th iteration. The solution converges after approximately 20 iterations.

### C. Optical Property Determination

In this section we describe the determination of the absorbed photon density and the related optical properties of the films. Consider a slab of semiconductor material under illumination. The absorbed photo density rate ( $G_\gamma$ ) of a monochromatic illumination at wavelength  $\lambda$  varies exponentially with respect to absorption coefficient (ref. 20, eq. A7.4):

$$G_{\gamma,x}(x, \lambda) = [1 - R(\lambda)] \Phi(\lambda) \alpha(\lambda) \exp(-\alpha(\lambda) x), \quad (33)$$

where  $R$  is the reflectivity,  $\alpha$  is the absorption coefficient,  $\Phi$  is the impinging photon flux and  $x$  is the depth from the illuminated surface. Using this equation and a steady state diffusion equation, one can calculate the excess carrier density profile in the sample  $\Delta n(x)$  (cf. ref. 20, appendix 7.1).

We can then calculate the average  $G_\gamma$  in the sample of thickness  $d$ :

$$G_\gamma = \int_0^d G_{\gamma,x}(x) dx / d = (1 - R) \Phi [1 - \exp(-\alpha d)] / d. \quad (34)$$

Note that, for an optically thin sample ( $d \ll 1/\alpha$ ), we have  $G_\gamma = (1 - R) \Phi \alpha$ . The photocarrier generation rate is given as  $G = \eta G_\gamma$  where  $\eta$  is the photocarrier generation efficiency, which is often assumed to be unity.

Even though in most cases the absorption depth is smaller compared to the sample thickness, the actual photocarrier density distribution becomes more uniformly distributed due to the diffusion process, which is more correct for samples with long diffusion lengths. More quantitatively, the distribution of the carrier density in such a sample is given as<sup>35</sup>:

$$\Delta n(x) = \frac{(1 - R) \Phi \alpha \tau}{(\alpha^2 L_D^2 - 1)} \left[ \frac{A_1 + B_1 e^{-\alpha d}}{D_1} - \exp(-\alpha d) \right], \quad (35)$$

where  $A_1$ ,  $B_1$ , and  $D_1$  are coefficients that depend on  $\alpha$ ,  $L_D$  and surface recombination coefficients, as described in ref. 20, appendix 7.1.

In the current experiment, we determine the absorbed photon density  $G_\gamma$  in the sample as follows. The impinging photon flux density,  $\Phi$ , is related to the photocurrent reading from the Monitor photodetector (PD)  $I_{PD-MON}$  using:

$$\Phi = \frac{I_{PD-MON} k_{PD}}{e Q E_{REF}(\lambda) A_{REF}}, \quad (36)$$

where  $Q E_{REF}$  is the quantum efficiency of the Reference PD at wavelength  $\lambda$  and  $A_{REF}$  is the effective area of the Reference PD ( $A_{REF} = 7.5 \text{ mm}^2$ ).  $k_{PD}$  is the PD calibration factor which is given as:  $k_{PD} = I_{PD-REF} / I_{PD-MON}$ , which is obtained by measuring a Reference PD in place of the

Hall sample and the Monitor PD simultaneously at varying light intensity. This measurement is typically done after the photo-Hall measurement session is completed.

We define an experimental constant  $k_G$  that depends on the operating wavelength  $\lambda$ :

$$k_G(\lambda) = \frac{k_{PD} [1 - R(\lambda)] [1 - \exp(-\alpha(\lambda)d)]}{eQE_{REF}(\lambda)A_{REF}d}. \quad (37)$$

Thus, employing eqs. (34), (36) and (37), we can calculate  $G_\gamma$  directly from the Monitor PD current ( $I_{PD-MON}$ ):

$$G_\gamma = k_G(\lambda) I_{PD-MON}. \quad (38)$$

For the  $G_\gamma$  calculation, we need the reflectivity and absorption coefficient data. These values can be measured using the same photo-Hall setup as shown in Fig. 1a, by deflecting the laser beam with a prism. For absorption (or transmission) measurement, the sample-under-test is mounted before the "Transmission PD". For reflectivity measurement, we use a silicon photodetector ("Reflectivity PD") embedded inside an integrating sphere (diameter ~80 mm). The sample is placed under an integrating sphere on a wedge to partially deflect the beam into the integrating sphere, where the light is collected by the photodetector. A certified reflectance disc (LabSphere SRS-80-010) is used as reference or calibration standard. The absorption coefficient at the given wavelength  $\lambda$  can be calculated using these reflectivity and transmission coefficients using the method detailed in ref. 36. Alternatively, one could use the absorption coefficient from standard absorption spectroscopy measurement. Table 2 below summarizes the optical parameters for the samples used in this study:

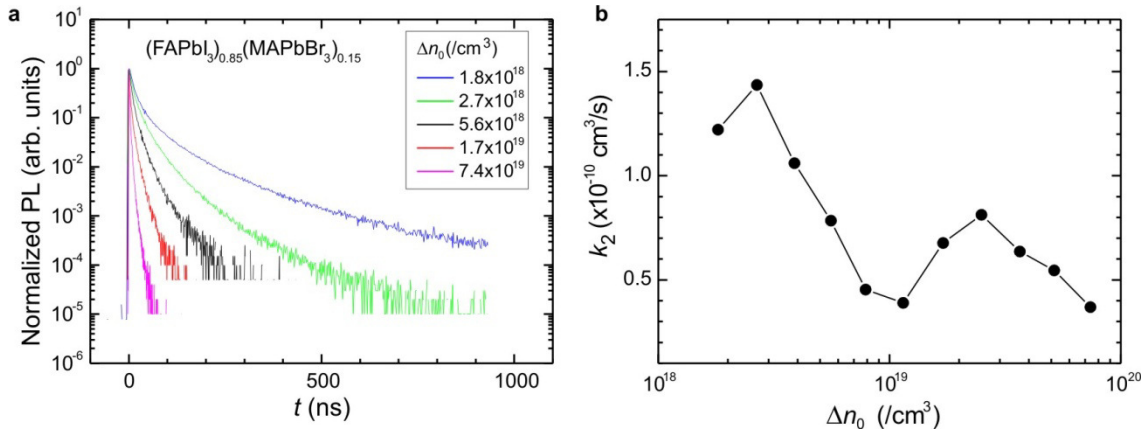
**Table 2.** The optical parameters for the perovskite, silicon and kesterite samples in this study

No	Sample	$d$ ( $\mu\text{m}$ )	$\lambda$ (nm)	$k_{PD}$	$QE_{REF}$	$R$	$\alpha$ (/cm)	$k_G$ (/Acm <sup>3</sup> s)
1.	Perovskite (FA,MA)Pb(I,Br) <sub>3</sub>	0.55	638	0.777	0.790	0.481	4.58x10 <sup>4</sup>	7.1x10 <sup>23</sup>
2.	Perovskite MAPbI <sub>3</sub>	0.608	638	0.874	0.790	0.442	4.90x10 <sup>4</sup>	8.0x10 <sup>23</sup>
3.	Silicon	725	638	0.813	0.790	0.347	3.09x10 <sup>4</sup>	7.71x10 <sup>20</sup>
4.	Kesterite	2	450	1.17	0.474	0.286	4.88x10 <sup>4</sup>	7.35x10 <sup>23</sup>

## D. Time-Resolved Photoluminescence Measurement of Perovskite

In Fig. 2c, the  $\Delta n$  vs.  $G_\gamma$  data show a regime with  $m \sim 0.5$  for  $\Delta n \sim G_\gamma^m$ , which could be ascribed to system operation within the bimolecular recombination regime. To investigate the possibility of (band-to-band) bimolecular recombination, we attempted to measure the bimolecular recombination coefficient  $k_2$ , where  $G = k_2 \Delta n^2$ , using time-resolved photoluminescence (TR-PL). The TR-PL measurements are performed on a (FA,MA)Pb(I,Br)<sub>3</sub> perovskite film of the same composition as used for the CRPH experiment. The measurement was performed using a Hamamatsu TR-PL system with laser wavelength  $\lambda = 532$  nm and pulse rate 15 kHz at room temperature. At maximum intensity of  $\sim 4$  W/cm<sup>2</sup> we estimate the initial carrier injection level of  $\Delta n_0 \sim 7 \times 10^{19}$ /cm<sup>3</sup>. Several TR-PL curves at different initial injection (or laser fluence) levels are shown in Fig. S5a. At the lowest fluence where the PL signal still can be observed, we estimate that the initial carrier density generated is  $\Delta n_0 \sim 10^{18}$  /cm<sup>3</sup>. The curves are fitted following a procedure similar to that described in ref. 37 using the rate decay equation up to 3rd order:  $PL(t) \propto \Delta n(t)$  and  $d\Delta n(t)/dt = -k_1 \Delta n(t) - k_2 \Delta n(t)^2 - k_3 \Delta n(t)^3$ , where  $PL(t)$  is the photoluminescence signal,  $k_1$ ,  $k_2$  and  $k_3$  are the monomolecular, bimolecular and Auger recombination coefficients, respectively. Then, we extract the coefficients  $k_1$  and  $k_2$ .

The above analysis yields a very small ( $k_3 \ll 10^{-30}$  cm<sup>6</sup>/s) Auger term  $k_3$  and thus it can be neglected. Our  $k_2$  values of  $(0.4-1.5) \times 10^{-10}$  cm<sup>3</sup>/s from TR-PL, as shown in Fig. S5b, are consistent with various other measurements using TR-PL, TAS or THz that report  $k_2 = 10^{-11} - 10^{-9}$  cm<sup>3</sup>/s (see Table 3). For this  $k_2$  range and given the expected photo density of  $\Delta n \sim 10^{17} - 10^{18}$ /cm<sup>3</sup> in the bimolecular regime<sup>26,28</sup>, we need  $G_\gamma = 10^{24}$  /cm<sup>3</sup>s, which is 1000 $\times$  beyond the maximum light intensity in our CRPH experiment ( $G_\gamma = 10^{21}$  /cm<sup>3</sup>s). Therefore, the  $m \sim 0.5$  behavior in our perovskite  $\Delta n$  vs.  $G_\gamma$  data is not due to band-to-band bimolecular recombination, but rather to trapping effect as explained in the main text.

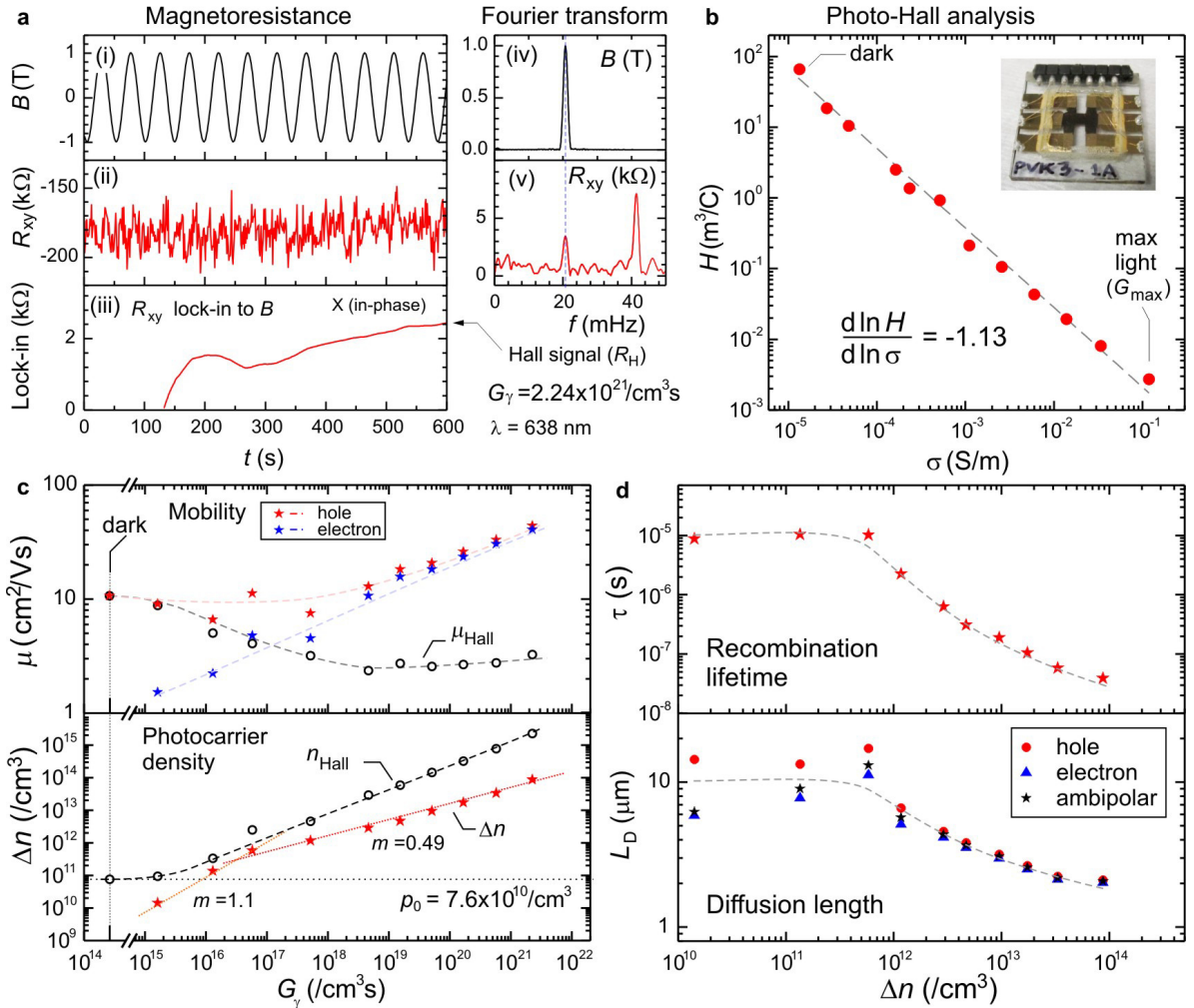


**Figure S5.** (a) The TR-PL of the (FA,MA)Pb(I,Br)<sub>3</sub>perovskite sample at various intensity or carrier injection level  $\Delta n_0$ . (b) The bimolecular recombination coefficient  $k_2$  vs. initial injection level ( $\Delta n_0$ ).

## E. Additional Carrier-Resolved Photo-Hall Studies

We present additional Carrier-Resolved Photo-Hall studies in a MAPbI<sub>3</sub> perovskite and a kesterite sample. The related optical properties of the samples are also shown in Table 2.

### E.1 Perovskite MAPbI<sub>3</sub>



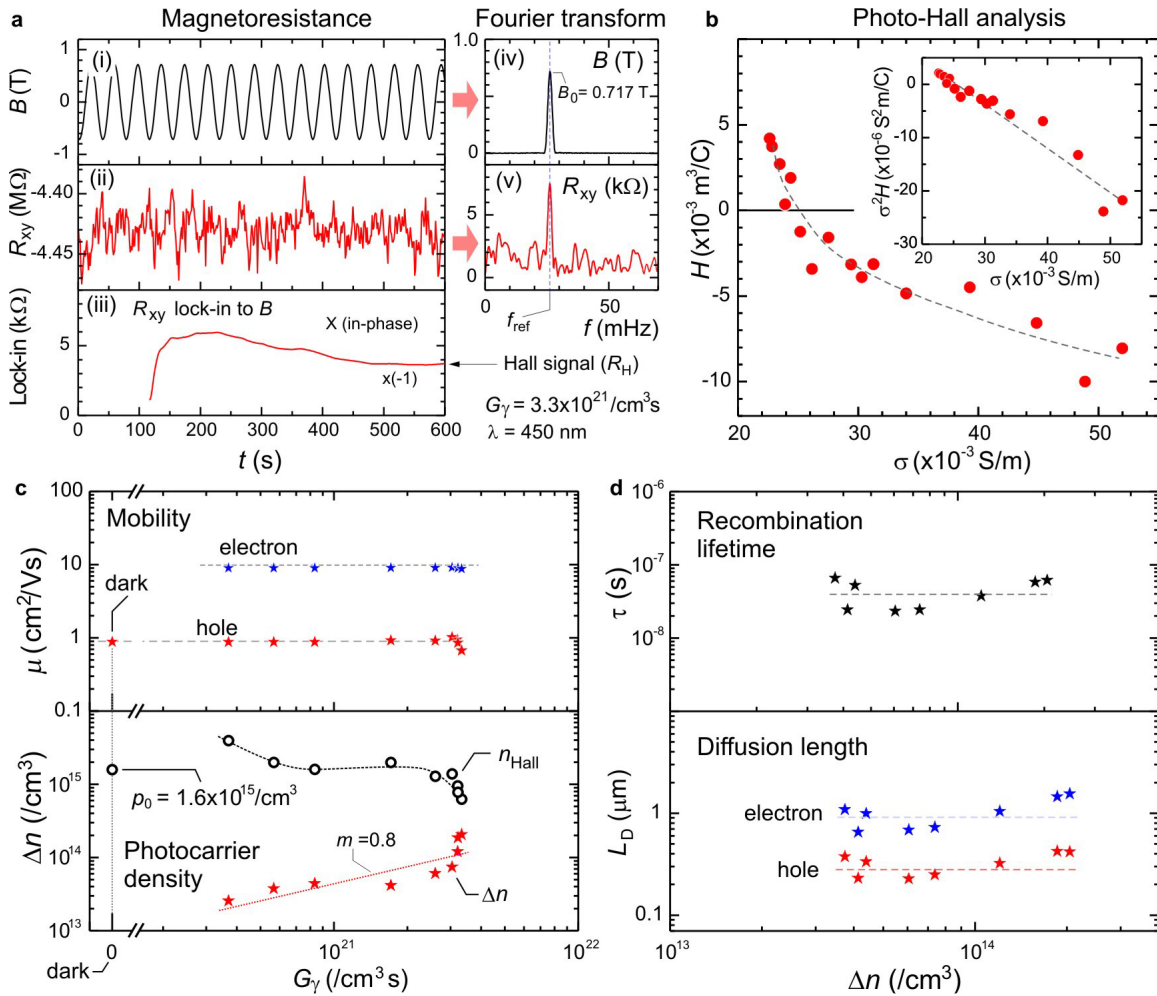
**Figure S6. Carrier-resolved photo-Hall analysis in a MAPbI<sub>3</sub> perovskite:** (a) Transverse magnetoconductance sweep ( $R_{xy}$ ), Fourier transform and lock-in detection of the Hall signal. (b)  $\sigma$ - $H$  plot for photo-Hall analysis. Inset: the perovskite Hall bar device. (c) Results: Majority ( $\mu_p$ ) and minority ( $\mu_n$ ) mobility and photo-carrier density  $\Delta n$  vs. absorbed photon density  $G_{\gamma}$ ;  $n_{\text{Hall}}$  and  $\mu_{\text{Hall}}$  are the "single-carrier" Hall density and mobility. (d) Recombination lifetime and diffusion length mapped against  $\Delta n$  (all dashed curves are guides for the eye only).

We have also prepared a MAPbI<sub>3</sub> perovskite Hall bar sample as shown in the inset Fig. S6b (thickness  $d = 0.608 \mu\text{m}$ , active area  $W \times L = 2 \text{ mm} \times 4 \text{ mm}$ ). The results of the CRPH study are



shown in Fig. S6. Similar to the (FA,MA)Pb(I,Br)<sub>3</sub> perovskite study in the main text (Fig. 2), we also found increasing mobilities with respect to light intensity. Therefore we also employed the generalized  $\Delta\mu$  model and its iterative solution approach to obtain the final solutions, as described in SI section B.2. We obtain the following results:  $\mu_P = 10\text{-}40\text{ cm}^2/\text{Vs}$ ,  $\mu_N = 2\text{-}40\text{ cm}^2/\text{Vs}$ ,  $\tau = 40\text{ ns}\text{-}10\text{ }\mu\text{s}$ , ambipolar  $L_D = 2\text{-}10\text{ }\mu\text{m}$ . These parameters are comparable to the results from the perovskite (FA,MA)Pb(I,Br)<sub>3</sub> in Fig. 2; however, the MAPbI<sub>3</sub> sample seems to have larger recombination coefficient:  $k_1 = (1.0\pm 0.1)\times 10^5\text{ /s}$ . These results are also summarized in Table 3 (last row).

## E.2 Kesterite $\text{Cu}_2\text{ZnSn}(\text{S,Se})_4$



**Figure S7. Carrier-resolved photo-Hall analysis in a high performance kesterite film:** (a) Magneto-resistance sweep, Fourier transform and lock-in detection of the Hall signal. (b)  $\sigma$ - $H$  plot for photo-Hall analysis showing inversion of  $H$ . Inset:  $\sigma$ - $H$  vs.  $\sigma$  plot. (c) Results: Majority ( $\mu_P$ ) and minority ( $\mu_N$ ) mobility and photo-carrier density  $\Delta n$  vs. absorbed photon density  $G_\gamma$ . (d) Recombination lifetime and diffusion length of both hole and electron mapped against  $\Delta n$ . (All dashed curves are guides for the eye only).

A thin-film semiconductor absorber, kesterite  $\text{Cu}_2\text{ZnSn}(\text{S},\text{Se})_4$  (CZTSSe), has also garnered significant interest due to its earth abundant and non-toxic elemental composition, as well as improved thermodynamic stability in comparison to perovskites<sup>38</sup>. Therefore, we present a study on a high performance CZTSSe film. The sample fabrication and solar cell performance information is provided in Section H. The kesterite sample provides an interesting example of low injection regime ( $\Delta n < p_0$ ), due to the much larger  $p_0$  ( $\sim 2000\times$ ) compared to perovskite. Additionally, due to a significantly higher minority carrier (electron) mobility that dominates the conductivity at high light intensity, the sign of  $H$  becomes inverted. We perform the experiment on a CZTSSe van-der Pauw sample ( $d = 2 \mu\text{m}$ ) using a blue laser ( $\lambda = 450 \text{ nm}$ , with intensity up to  $\sim 300 \text{ mW/cm}^2$ ). In the dark, the sample shows  $P$ -type conductivity with  $p_0 = 1.6 \times 10^{15} / \text{cm}^3$  and  $\mu_p = 0.9 \text{ cm}^2/\text{Vs}$ . At the brightest light intensity, the  $R_{xy}$  signal shows a clear and robust Fourier peak at  $f_{\text{ref}}$  [Fig. S7a(v)], which produces a steady lock-in output  $R_H$ . We then plot the  $\sigma$ - $H$  curve in Fig. S7b and observe a monotonic behavior. The  $H$  data are rather noisy due to the low majority carrier mobility. To calculate  $\Delta\mu$  we use eq. (1), i.e.,  $\Delta\mu_H = d(\sigma^2 H) / d\sigma$ , and plot  $\sigma^2 H$  vs.  $\sigma$  (Fig. S7b inset) and obtain its slope. We then solve for  $\Delta n$ ,  $\mu_p$  and  $\mu_n$  using the " $\Delta\mu$ " model as shown in Fig. S7c. We limit our analysis to the high light intensity regime (approximately  $\Delta n > p_0/100$ ), as we cannot resolve  $\Delta n$  when it is too small. We obtain fairly constant mobilities and a significantly higher minority carrier mobility,  $\mu_n = (9.0 \pm 0.1) \text{ cm}^2/\text{Vs}$ , compared to the majority carrier value,  $\mu_p = (0.9 \pm 0.1) \text{ cm}^2/\text{Vs}$  ( $\beta \sim 10$ ), which explains the strong  $H$  inversion at high light intensity. From  $\Delta n$  vs.  $G_\gamma$  data, we obtain  $m = (0.8 \pm 0.2)$ , suggesting a monomolecular regime with  $k_1 = (3.0 \pm 1.3) \times 10^7 / \text{s}$ . This value is reasonable for the low injection case where  $\Delta n < p_0$ , and it is also observed in perovskite data at low light intensity (Fig. 2c).

As before, we calculate  $\tau$  and  $L_D$  as a function of  $\Delta n$  (Fig. S7d), obtaining  $\tau = (23-66) \text{ ns}$ , minority carrier diffusion length  $L_{D,N} = (0.7-1.5) \mu\text{m}$  and majority carrier diffusion length  $L_{D,P} = (0.23-0.42) \mu\text{m}$ . For comparison, our  $L_{D,N}$  values overlap and are consistent with independent studies on similar quality samples using: (1) a biased-quantum efficiency technique that yields  $L_{D,N} \sim 1.0 \mu\text{m}$ <sup>14</sup>, and (2) an electron-beam-induced-current mapping technique that yields  $L_{D,N} \sim (0.75 \pm 0.15) \mu\text{m}$ <sup>38</sup> (see Table 4). We highlight that the CRPH study was done on a bare absorber layer, which should more accurately reflect the intrinsic properties of the studied semiconductor, because of lack of junction-mediated charge carrier separation, as well as provide a more favorable configuration for higher throughput characterization. This technique also provides simultaneous extraction of all carrier parameters under the same light conditions, which avoids the complication of different light illumination in our previous study<sup>14</sup>. The results are compared with various recent transport studies in CZTSSe in Table 4.

We also note that the CRPH analysis data for kesterite is more noisy compared to that for the perovskite and silicon samples for a few reasons: (i) The mobility values in CZTS are small ( $\mu_p \sim 1 \text{ cm}^2/\text{Vs}$  and  $\mu_n \sim 10 \text{ cm}^2/\text{Vs}$ ), while in perovskite we have  $\mu \sim 10-30 \text{ cm}^2/\text{Vs}$  and for silicon  $\mu \sim 500-1500 \text{ cm}^2/\text{Vs}$ . (ii) Background carrier density in the CZTS sample is very high ( $p_0 \sim 10^{15} / \text{cm}^3$ ) compared to the perovskite ( $p_0 \sim 8 \times 10^{11} / \text{cm}^3$ ) and the silicon: ( $p_0 \sim 7 \times 10^{12} / \text{cm}^3$ ) samples. Since the maximum laser intensity is limited, we could only achieve a maximum photocarrier density of  $\Delta n \sim 10^{14} / \text{cm}^3$ , which is  $\sim 10\%$  of  $p_0$ ; therefore the CZTS sample is in the very low injection level regime ( $\Delta n < p_0$ ). It is more challenging to extract  $\Delta n$ , as it entails measuring the change in conductivity and Hall coefficient very accurately.

## F. Summary of Recent Perovskite Transport Studies

**Table 3.** Summary of recent electrical transport studies for lead(II) halide perovskites. The results from the current carrier-resolved photo-Hall effect study are highlighted in yellow.

No	Refs	Material	Type	Techniques	Lifetime (ns)	Diffusion Length ( $\mu\text{m}$ )		Mobility ( $\text{cm}^2/\text{Vs}$ )		Carrier conc. ( $/\text{cm}^3$ )		$k_1$ (/s)
						Electron	Hole	Electron	Hole	Electron	Hole	
1	[8]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	PL, transient absorption.	4.5 $\pm$ 0.3	0.13	0.11					
2	[9]	$\text{CH}_3\text{NH}_3\text{PbI}_{3-x}\text{Cl}_x$	pc	Transient absorption, PL-quenching.	273 $\pm$ 7	1.07 $\pm$ 0.20	1.21 $\pm$ 0.24					
		$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc		9.6	0.13 $\pm$ 0.04	0.11 $\pm$ 0.03					
3	[39]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Intensity-modulated photocurrent/photovoltage.		1.2 - 1.5						
4	[6]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	PL, transient absorption, time-resolved terahertz and microwave conductivity				12.5	7.5			
5	[10]	$\text{CH}_3\text{NH}_3\text{PbI}_{3-x}\text{Cl}_x$	pc	Ultrafast THz spectroscopy		2.7*		33*				1.2 $\times 10^7$
6	[7]	$\text{CH}_3\text{NH}_3\text{PbI}_{3-x}\text{Cl}_x$	pc	Conductivity measurement. Total mobility used (e + h), assuming similar mass				20	20			
7	[40]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Laser-flash time-resolved microwave conductivity				3	17			
8	[41]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Hall effect				13.7-36.0		(2.4-5.9) $\times 10^{14}$		
9	[31]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Hall effect				3.9		2.8 $\times 10^{17}$		
10	[42]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Transient PL	9							10 <sup>6-9</sup>
		$\text{CH}_3\text{NH}_3\text{PbI}_{3-x}\text{Cl}_x$	pc		80							
11	[43]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	TR-PL, transient absorption	140							1.8 $\times 10^7$
12	[27]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Transient THz spectroscopy		~1*		8.1*				1.4 $\times 10^7$
		$\text{CH}_3\text{NH}_3\text{PbI}_{3-x}\text{Cl}_x$	pc			~1*		11.6*				4.9 $\times 10^6$
13	[11]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	sc	PL, transient absorption, Hall effect, time-of-flight measurement, space-charge-limited current technique	22-1032		8*	2.5*			2 $\times 10^{10}$	
		$\text{CH}_3\text{NH}_3\text{PbBr}_3$	sc		41-357		17*		20-115		5 $\times 10^{9-10}$	
14	[12]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	sc	Transient photovoltaic and impedance spectroscopy, Hall effect	82-95		175 $\pm$ 25	24 $\pm$ 4.1	164 $\pm$ 25		(9 $\pm$ 2) $\times 10^9$	
15	[37]	$\text{CH}_3\text{NH}_3\text{PbI}_{3-x}\text{Cl}_x$	pc	Confocal fluorescence microscopy, PL	1005							1 $\times 10^6$
16	[44]	$\text{CH}_3\text{NH}_3\text{PbBr}_3(\text{Cl})$	pc	Electron-beam-induced current	50-100	0.36 $\pm$ 0.02						
17	[45]	$\text{FAPbBr}_3$	pc	THz transient photoconductivity			1.3*	14 $\pm$ 2*				2.1 $\times 10^7$
		$\text{FAPbI}_3$	pc				3.1*	27 $\pm$ 2*				6.7 $\times 10^6$
18	[46]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Time resolved microwave conductivity				29 $\pm$ 6*				
19	[47]	$\text{FAPbI}_3$	sc	Space-charge-limited current		6.6*			35		3.9 $\times 10^9$	
		$\text{FAPbBr}_3$	sc			19*			62		1.5 $\times 10^9$	
20	[13]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Photo-Hall, photoconductivity.	3 $\times 10^4$		23*	8*			9.0 $\times 10^{14}$	
		$\text{CH}_3\text{NH}_3\text{PbBr}_3$	sc		3 $\times 10^5$		650*	60 $\pm$ 5*			4.6 $\times 10^{12}$	
21	[48]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	sc	TR-PL, time-resolved microwave conductance	15,000		8	50				
22	[49]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Transient photovoltage, charge carrier extraction under 1 sun.	390						9.4 $\times 10^{16}$	
		$\text{CH}_3\text{NH}_3\text{PbX}_3$	pc	(Carrier density under illumination)	560 -1100						(2.4-5.9) $\times 10^{19}$	
23	[50]	$\text{CH}_3\text{NH}_3\text{PbI}_3$	pc	Hall and magnetoresistance. (Mobility values under illumination)	29,000		230*	68*			9.3 $\times 10^{11}$	
		$\text{CH}_3\text{NH}_3\text{PbBr}_3$	pc		36,000		24*	6.3*			4.3 $\times 10^{12}$	
24	[51]	$\text{FAPbI}_{3-x}\text{Cl}_x$	pc	Flash-photolysis time-resolved microwave conductivity.	2,800			71**				
25		$(\text{FAPbI}_3)_{1-x}$ $(\text{MAPbBr}_3)_x$	pc	<b>Carrier-resolved photo-Hall effect</b> Values are mapped against $G_\gamma$ or $\Delta n$ (Fig. 2) (IBM/KAIST/KRICT)	44-40,000	1.7-23	1.8-34	7-26	10-28		8.3 $\times 10^{11}$	2.5 $\times 10^4$
					$\tau(G_\gamma)$	$L_{D,N}(G_\gamma)$	$L_{D,P}(G_\gamma)$	$\mu_N(G_\gamma)$	$\mu_P(G_\gamma)$	$\Delta n(G_\gamma)$	$p_0 + \Delta n(G_\gamma)$	
26		$\text{MAPbI}_3$	pc	<b>Carrier-resolved photo-Hall effect</b> Values are mapped against $G_\gamma$ or $\Delta n$ (Fig.S6) (IBM/KAIST/KRICT)	40-10,000	2-8	1.8-12	2-40	10-44		7.6 $\times 10^{10}$	1.0 $\times 10^5$
					$\tau(G_\gamma)$	$L_{D,N}(G_\gamma)$	$L_{D,P}(G_\gamma)$	$\mu_N(G_\gamma)$	$\mu_P(G_\gamma)$	$\Delta n(G_\gamma)$	$p_0 + \Delta n(G_\gamma)$	

Notes: (1) \*Carrier type is not specified (not-resolved). (2) \*\*Sum of mobility. (3) pc = polycrystalline, sc = single crystal.

From Table 3 above, we observe that there is a wide range of variation of the transport parameters, with some overlap with our CRPH results. The variation in parameter values most likely arises due to sample variation in terms of quality and passivation, stoichiometry, crystallinity type (poly or single crystal) and varying device performance levels. A second reason is likely the different measurement techniques employed. We note that our CRPH technique operates under (1) steady-state and (2) large illumination coverage (3) with light intensity up to  $\sim 1$  sun ( $100 \text{ mW/cm}^2$ ), which is very close to the actual condition where the solar cell is intended to operate. In contrast, most of the other transient techniques, such as time-resolved photoluminescence (TR-PL), do not operate under these conditions, which may lead to variation in the extracted parameters compared to the CRPH results. Below are some comments on the variation of the specific parameters in Table 3, focusing only on the data for polycrystalline films, as they are the most relevant for high performance perovskite devices comparing to our high performance (FA,MA)Pb(I,Br)<sub>3</sub> perovskite:

(1) Mobilities (hole and electron): range from 2-70  $\text{cm}^2/\text{Vs}$  and our CRPH study yields 7-28  $\text{cm}^2/\text{Vs}$ , which overlaps with most reports.

(2) Equilibrium carrier densities: range from  $10^9 /\text{cm}^3$  to  $6 \times 10^{14} /\text{cm}^3$ ; the wide variation could be due to different compositions for the samples. For the high performance (FA,MA)Pb(I,Br)<sub>3</sub> samples considered in this study, for example, we have low carrier density of  $\sim 10^{12} /\text{cm}^3$ , within the range of other measurements.

(3) Lifetime ( $\tau$ ): ranges from 10 - 36,000 ns, which overlaps favorably with our CRPH results (44 - 40,000 ns). In light of the new understanding generated from our CRPH analysis, such wide variation is to be expected given variation in light or carrier injection level for the measurements. The higher the light intensity (or carrier density) the lower the lifetime is, as the system operates in different recombination regimes. Therefore, as we noted in the main text, it is very important when reporting lifetime values to indicate the absorbed photon density level,  $G_\gamma$  (or, if possible, the excess carrier density,  $\Delta n$ ).

(4) Carrier diffusion length ( $L_D$ ): ranges from 0.1-230  $\mu\text{m}$ , which overlaps favorably with our CRPH results (1.7-34  $\mu\text{m}$ ). The situation is similar to lifetime in that the values vary significantly with light intensity and, from our CRPH analysis, such wide variation is to be expected due to variation in light or carrier injection level. Therefore, again, it is important to indicate  $G_\gamma$ , or if possible  $\Delta n$ , in reporting  $L_D$ .

(5) The monomolecular recombination coefficient  $k_1$ : ranges from  $10^6$  to  $10^9 /\text{s}$ , while our CRPH analysis yields a lower value of  $k_1 = 2.5 \times 10^4 /\text{s}$ . The lower value implies a very long lifetime  $\tau$  in the monomolecular regime, which could be due to very low trap density and indicative of the high material quality.

## G. Summary of Recent Kesterite Transport Studies

**Table 4.** Summary of recent electrical transport studies for kesterites. The result from the current carrier-resolved photo-Hall effect study is highlighted in yellow. A study on the 12.6% PCE champion CZTSSe is reported in Row#14 (in bold).

No	Refs	Material	Type	Techniques	Lifetime (ns)	Diffusion Length ( $\mu\text{m}$ )		Mobility ( $\text{cm}^2/\text{Vs}$ )		Carrier conc. ( $/\text{cm}^3$ )	
						Electron	Hole	Electron	Hole	Electron	Hole
1	[52]	CZTSe	pc	TR-PL	7-9						
2	[53]	CZTSSe	pc	TR-PL, Drive-level capacitance profiling (DLCP)	3.1						$8 \times 10^{15}$
3	[54]	CZTSSe	pc	TR-PL	10						
		CZTSe	pc	TR-PL	12						
4	[55]	CZTSSe	pc	DLCP							$(0.2-1.5) \times 10^{16}$
5	[56]	CZTSe	sc	Hall effect				40-55			$1 \times 10^{17}$
6	[57]	CZTSSe	pc	TR-PL	$6.7 \pm 1.4$						
7	[14]	CZTSSe	pc	TR-PL, EQE, reflectance measurement, capacitance-voltage (C-V) measurement	1.5-15	0.3-1.2		11-257			
8	[58]	CZTSSe	pc	TR-PL	5						
9	[59]	CZTS	pc	TR-PL, DLCP	7.8	$\sim 0.35$					$1 \times 10^{16}$
10	[60]	CZTS	pc	TR-PL	18.4						
		CZTSe	pc		9.3						
11	[61]	CZTSe	pc	Hall effect				1.23			$2 \times 10^{17}$
12	[62]	CZTSSe	pc	C-V							$(1-4) \times 10^{16}$
13	[63]	CZTS	pc	Hall effect							$(4.9-6.9) \times 10^{15}$
14	<b>[38]</b>	<b>CZTSSe</b>	<b>pc</b>	<b>C-V, DLCP, QE, EBIC (PCE 12.6% champion)</b>		<b><math>0.75 \pm 0.15</math></b>					<b><math>8 \times 10^{15}</math></b>
15	[64]	CZTSe	pc	DLCP, QE, reflectance measurement, TR-PL	2-2.5	$2.1 \pm 0.5$		690			$2 \times 10^{15}$
16	[18]	CZTSSe	pc	Hall effect (ac/PDL)				0.3-0.4			$(1.6-2.2) \times 10^{16}$
17	[65]	CZTSe	pc	TR-PL, DLCP	4.2						$\sim 10^{16}$
18	[66]	CZTSe	pc	Hall effect				0.2-0.5			$(2-20) \times 10^{16}$
19	[67]	CZTSe	sc	Hall effect				50-150			$10^{17}-10^{19}$
20	[68]	CZTSSe	pc	TR-PL	8.1						
21	[69]	CZTSSe	pc	TR-PL	2.6						
		CZTGeSSe	pc		10						
		CZTSe	pc	TR-PL	2.4						
22	[70]	CZTSe	pc	TR-PL	2.4						
		AgCZTSe	pc		3.6-10						
23	[71]	CZTSSe	pc	Hall				0.5-1.3			$(1.4-19) \times 10^{15}$
24	[72]	CZTSe	pc	Hall effect (ac/PDL), DLCP				0.2			$1 \times 10^{16}$
		AgCZTSe	pc					0.2-1.1			$10^{13}-10^{16}$
25	[73]	CZTSe	pc	TR-PL	1.3-2.2						
26	[74]	CZTS	pc	TR-PL, C-V	5.8-12.4						$(3-5) \times 10^{16}$
27	[75]	CZTSSe	pc	C-V							$(1-2) \times 10^{16}$
28	[76]	CZTS	pc	TR-PL, DLCP	4.1						$4.4 \times 10^{16}$
		CZCTS	pc		10.8						$1.4 \times 10^{16}$
29	[77]	CZTS	pc	TR-PL, C-V	10	$\sim 0.35$					$3 \times 10^{16}$
30	[78]	CZTSe	pc	TR-PL, C-V	1.6						$1.5 \times 10^{16}$
31	[79]	CZTSSe	pc	Hall effect (ac/PDL)				0.3			$1 \times 10^{15}$
32	[80]	CZTSe	pc	TR-PL, C-V	1-8						$10^{15}-10^{18}$
33		<b>CZTSSe</b>	<b>pc</b>	<b>Carrier-resolved photo-Hall effect</b> Values are mapped against $G_{\gamma}$ or $\Delta n$ (Fig. 3) (IBM/KAIST/KRICT)	<b>23-66</b> $\tau(G_{\gamma})$	<b>0.7-1.5</b> $L_{D,N}(G_{\gamma})$	<b>0.23-0.42</b> $L_{D,P}(G_{\gamma})$	<b><math>9.0 \pm 0.1</math></b> $\mu_N(G_{\gamma})$	<b><math>0.9 \pm 0.1</math></b> $\mu_P(G_{\gamma})$	<b><math>\Delta n(G_{\gamma})</math></b>	<b><math>p_0 + \Delta n(G_{\gamma})</math></b>

Notes: (1) pc = polycrystalline, sc = single crystal

In Table 4, the CZTSSe samples studied offer a wide degree of variation in terms of compositions, e.g. S/(S+Se) ratio or metal ratio Cu/(Zn+Sn), fabrication methods and device performance levels (PCE  $\sim$  7%-12.6%). Some studies also use different alloys, such as AgCZTSe<sup>72</sup>. Here we discuss

some of the parameter variation, focusing only on the data for the polycrystalline films, since these yield the highest performance CZTSSe devices.

(1) Mobilities (hole): Range from 0.3 to 1.3  $\text{cm}^2/\text{Vs}$ . The CZTSSe sample that we used in the current study is more recent and was exfoliated from the high performance device batch (see section H) and prepared as a Hall sample, yielding mobility  $\mu_p \sim 0.9 \text{ cm}^2/\text{Vs}$ . From CRPH we obtain electron (minority) mobility,  $\mu_n \sim 9 \text{ cm}^2/\text{Vs}$ , significantly higher than that for holes and consistent with a theoretical study that suggests the hole effective mass in  $\text{Cu}_2\text{ZnSn}(\text{S},\text{Se})_4$  should be larger than that for the electron (by as much as  $4\times$ )<sup>81</sup>.

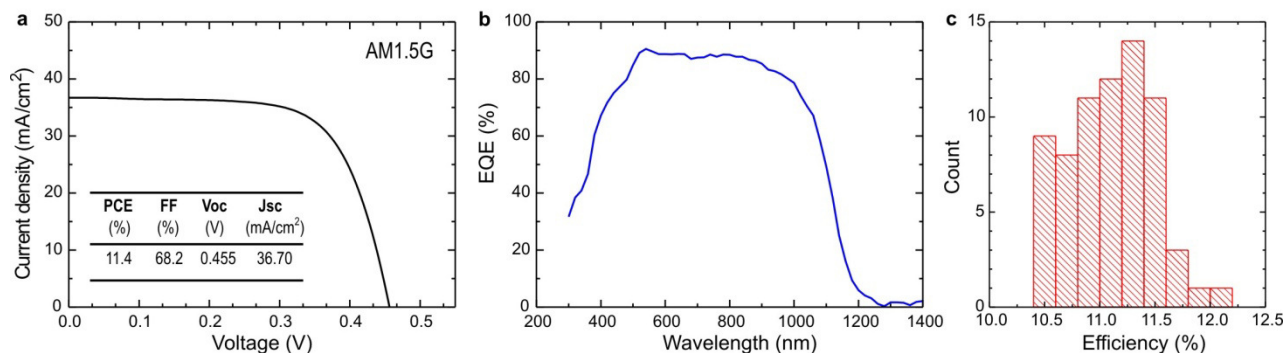
(2) Equilibrium carrier densities: Range from  $10^{15} /\text{cm}^3$  to  $10^{18} /\text{cm}^3$ . Most variation of the density is due to varying  $\text{S}/(\text{S}+\text{Se})$  and  $\text{Cu}/(\text{Zn}+\text{Sn})$  ratios. Lower S content or higher Cu content leads to higher majority carrier (hole) density<sup>71,82</sup>. C-V approaches tend to yield higher densities than those achieved with Hall effect, as they are sensitive to interface trap states at the edge of the space charge region<sup>38</sup>. For the CZTSSe sample that we examined in the current study ( $\text{S}/(\text{S}+\text{Se})\approx 0.2$ ,  $\text{Cu}/(\text{Zn}+\text{Sn})\approx 0.8$  and  $\text{Zn}/\text{Sn}\approx 1.1$ ), we have a hole density of  $1.6\times 10^{15} /\text{cm}^3$ , as measured by the PDL Hall system in the dark.

(3) Lifetime ( $\tau$ ): Ranges from 1-18 ns, and has mostly been determined using TR-PL, while our CRPH approach yields 23-66 ns. This discrepancy may at least in part be due to the light intensity or injection level used for these studies. The CRPH study operates in the low injection regime, with excess carrier density  $\Delta n < 2\times 10^{14} /\text{cm}^3$ , while the TRPL study uses a very high injection level, as much as  $\Delta n\sim 10^{19} /\text{cm}^3$ , in order to attain sufficient PL signal due to the low radiative efficiency for CZTSSe<sup>83</sup>.

(4) Minority carrier diffusion length ( $L_{D,N}$ ): ranges from 0.3-2.1  $\mu\text{m}$ , as measured by a combination of biased quantum efficiency and C-V measurement<sup>14</sup>, and 0.75  $\mu\text{m}$ , as measured using the electron beam-induced-current mapping technique<sup>38</sup>. These values overlap and are in agreement with our CRPH results:  $L_{D,N}\sim (0.7-1.5) \mu\text{m}$ .

## **H. Device Fabrication and Characteristics of Kesterite**

The CZTSSe solar cell was prepared using a hydrazine-based pure solution approach that resulted in the 12.6% record efficiency as reported in ref. 38. The CdS emitter was deposited by chemical bath deposition (CBD) on the absorber layer. Transparent conductive oxide (ZnO/ITO) was sputter-deposited on the CdS. The electrical contact grid for the cell was made by evaporation (deposition area defined by a mask) of a thin layer of Ni followed by 2  $\mu\text{m}$  of Al. A  $\text{MgF}_2$  anti-reflective coating was deposited by evaporation. The finished device was then scribed to isolate the cell and the cell area was measured using a digital optical microscope ( $A=0.453 \text{ cm}^2$ ).



**Figure S8.** Device performance of the CZTSSe solar cell: (a)  $J$ - $V$  curves under AM1.5G simulated light. The photovoltaic parameters are shown in the inset. (b) The EQE spectrum. (c) Histogram of the power conversion efficiencies obtained from 70 CZTSSe cells.

The device was measured using a solar simulator (Newport, Oriel Class A, 91192-1000) with simulated AM1.5G illumination of  $100 \text{ mW/cm}^2$ . We use a Si reference cell from Oriel (P/N 91150V) to calibrate the light intensity (calibrated by Newport, calibration#0847) and Keithley 2440 source meter for  $I$ - $V$  measurement. The measurement was done in open air at ambient room temperature. The devices were soaked for about 30 sec at 1 sun prior to  $I$ - $V$  measurement, and the measurement was performed with scan speed of approximately 2 V/s, all with a reverse scan direction (there is no noticeable hysteresis in the  $I$ - $V$  traces). The characteristics of a high performing device from the same film as used for the photo-Hall study are shown in Fig. S8a. The device yields PCE = 11.4%, FF = 68.2%,  $V_{OC}$  = 0.455 V and  $J_{SC}$  =  $36.70 \text{ mA/cm}^2$ . The external quantum efficiency (EQE) spectrum for the device is presented in Fig. S8b. Integrated current density of  $40.0 \text{ mA/cm}^2$  from the EQE spectrum shows 9% higher than that ( $36.7 \text{ mA/cm}^2$ ) measured under solar simulator. The bandgap determined from the inflection of EQE curve near the bandedge is  $E_g = 1.11 \text{ eV}$ . A histogram of the efficiency of 70 CZTSSe samples from the same processing batch is shown in Fig. S8c, with overall average PCE of  $(11.1 \pm 0.4)\%$ .

For photo-Hall study, the CZTSSe absorber layer was isolated from the blank area of a finished device after removing the top stack (CdS/ZnO/ITO/Ni/Al/MgF<sub>2</sub>) by sonication in 10% aqueous HCl for 2 minutes and rinsing with water. Afterwards the absorber layer was exfoliated onto a secondary  $5 \text{ mm} \times 5 \text{ mm}$  glass substrate, from the underlying Mo/glass layer, using the method described in ref. 71. Then we deposited four terminal Ti/Au (10 nm/100 nm) square contacts on the four corners to define a Van der Pauw sample with area of  $3 \text{ mm} \times 3 \text{ mm}$ .

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